Kinetic Monte Carlo statistics of curvature integration by HACA growth and bay closure reactions for PAH growth in a counterflow diffusion flame

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Abstract

This paper uses a Kinetic Monte Carlo model that includes processes to integrate curvature due to the formation of five- and seven-member rings to simulate polycyclic aromatic hydrocarbons (PAHs) growing in lightly sooting ethylene and acetylene counterflow diffusion flames. The model includes new processes to form sevenmember rings via hydrogen-abstraction-acetylene-addition and bay closure reactions on sites containing partially embedded five-member rings. The model additionally includes bay closure and HACA bay capping reactions for the integration of fivemember rings. The mass spectra of PAHs predicted by the model are assessed against experimental data, and the distribution of embedded five-member rings and sevenmember rings is studied as a function of spatial location, molecule size and frequency of events sampled in the simulation. The simulations show that the formation of seven-member rings and the embedding of five-member rings is a competitive process. Both types of rings are observed more frequently as the simulation proceeds from the fuel outlet towards the stagnation plane. Approximately 15% of the events that integrate curvature resulted in the formation of a seven-member ring coupled to an embedded five-member ring, and the remaining 85% of events embedded five-member rings via the formation of six-member rings. The proportion of PAHs containing embedded five-member rings and/or seven-member rings is observed to be a function of PAH size, passing through a maximum for PAHs containing 15–20 six-member rings. However, the proportion of PAHs containing both types of ring increases with PAH size, where upwards of 10% of PAHs containing at least one fivemember ring and 15 or more six-member rings also contain a seven-member ring.



Highlights

- Kinetic Monte Carlo model of PAH growth in counterflow diffusion flames.
- Novel PAH curvature integration jump processes by embedding of five-member rings and by the formation of seven-member rings.
- Spatial distribution and growth statistics of curved molecules are reported.

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1 Introduction

Curvature induced during the growth of polycyclic aromatic hydrocarbons (PAHs) has important consequences for carbon materials. In the case of soot, it has been shown that curved PAHs possess a dipole moment due to the flexoelectric effect [30] that persists at flame temperatures [35]. Such PAHs have been observed in premixed [1, 12] and non-premixed flames [31], and it has been hypothesised that their dipole moments may influence the formation of the first particles [3, 32].

The curvature arises from five- and seven-member rings that are embedded during the growth of a PAH. Five-member rings surrounded by six-member rings results in positive Gauss curvature, corresponding to a bowl-shaped topology. Seven-member rings surrounded by six-member rings results in negative Gauss curvature, corresponding to a saddle-shaped topology.

Five-member rings are found in a variety of carbon materials including nanotubes [29], graphene [46] and fullerenes. Fullerenes have been observed in low pressure benzene flames [10] and have been strongly associated with the presence of curved PAHs [27]. Corannulene (the smallest curved PAH) has been detected in flame-generated soot [27, 58]. High-resolution transmission electron microscopy (HR-TEM) analysis of soot has shown the presence of curved fringes, indicating PAHs containing embedded five-member rings [2, 52]. Partially embedded five-member rings have been directly observed in PAHs using atomic force microscopy, and may be able to lead to fully embedded five-member rings via an acetylene addition step [5].

Seven-member rings have been observed in non-graphitising carbon [16], nanotubes [29] and graphene [41]. The Stone-Wales defect, a double pair of five- and seven-member rings, produces local curvature in graphene [39]. Lines of consecutive five- and seven-member rings have been observed in nanoporous carbons [13], and shown to result in different curvatures in different annealed carbons [33]. In graphene, these lines constitute grain boundaries where the orientation of the carbon atoms change [20]. The partially embedded five-member rings observed by Commodo et al. [5] are contained in bays that provides a site for the formation of a seven-member ring next to the five-member ring.

Kinetic Monte Carlo (KMC) models have been used to simulate PAH growth via the application of a set of transformations and associated rates describing possible growth processes. Frenklach et al. [7] simulated the growth of a graphene edge using the first model that included processes that integrated five-member rings. The model was extended to include five-member ring migration [55], oxygen chemistry that enabled the formation of partially embedded five-member rings [49] and tested under different conditions [56]. Yapp et al. [59] combined a KMC model of the growth of an ensemble of PAHs with a probabilistic model that estimated the Gauss curvature of each PAH as a function of the number of embedded five-member rings.

The above models focused solely on five-member rings as the cause of curvature. The corresponding processes have been studied under a range of conditions. Pope et al. [40] studied the formation of fullerenes via sequential hydrogen-abstraction-acetylene-addition (HACA) and dimerisation reactions. Frenklach and collaborators studied bay capping and competing processes affecting partially embedded five-member rings [8, 60].

Raj [42] investigated the growth of flat and curved PAHs by HACA. However, few studies have considered the formation of seven-member rings. One exception is Kislov et al. [25], who studied a process to create seven-member rings via two HACA additions on a zig-zag site, but found that it was slow relative to other processes.

Recently, Menon et al. [37] calculated rates for the formation of seven-member rings on bay sites containing five-member rings using density functional theory at the M06-2X/cc-PVTZ//B3LYP/6-311+G(d,p) level of theory. The ring formation mechanisms included hydrogen-abstraction-facilitated, hydrogen-addition-facilitated, carbene formation, and direct cyclisation bay closure processes and closure via HACA growth. The calculated rates showed that the formation of seven-member rings by HACA growth and bay closures proceeded at rates similar to the analogous processes for the formation of five and six-member rings.

The purpose of this paper is to study the development of curvature in PAHs due to HACA growth and bay closure reactions in KMC simulations of a counter-flow diffusion flame. The KMC model uses the process rates calculated by Menon et al. [37], for first time enabling simulation of the growth of an ensemble of PAHs that include seven-member rings. The model results are consistent with experimental mass spectra and give insight into the relative abundance and location of PAHs containing embedded five- and seven-member rings.

2 Curvature integration processes

The KMC model used in this work includes two types of process that integrate curvature: The formation of seven-member rings next to existing partially embedded five-member rings and the embedding of five-member rings. These processes are shown in Fig. 1.

Fig. 1(a) and (b) show new processes that form seven-member rings via HACA bay capping. The process in Fig. 1(a) results in a seven-member ring coupled to an embedded five-member ring. The process in Fig. 1(b) results in a seven-member ring coupled to a partially embedded five-member ring. The process rates were taken from Menon et al. [37].

Fig. 1(c) and (d) show new processes for the closure of seven-member bays adjacent to five-member rings. The process rates were taken from Menon et al. [37].

Fig. 1(e) shows a new process that embeds a five-member ring at a six-member bay site that includes a partially embedded five-member ring. There are many possible configurations of such a site. In this work, it was assumed that all configurations proceed at the same rate. The rate is taken by analogy with the most similar process that has been studied in the literature - the closure of a six-member bay site containing only six-member rings. The rate of this process was first calculated by Raj et al. [43]. In this work we repeated the rate calculation at the B3LYP/6-311+G(d,p) level of theory. The process was observed to proceed via hydrogen abstraction (with a barrier in the range 30–35 kcal/mol), or via hydrogen addition, carbene formation or direct cyclisation routes (all with barriers of ~100 kcal/mol). The assumption that this rate can be applied to the process in Fig. 1(e) is made on the grounds that hydrogen abstraction is expected to be the most likely route and is



Figure 1: Curvature integration jump processes.

expected to have similar rates in both processes, coupled with the observation [37] that the rates of the processes in Fig. 1(a) and (b) are similar and insensitive to the location of the five-member ring, and likewise for the processes in Fig. 1(c) and (d).

Finally, Fig. 1(f) shows a bay capping process that embeds a five-member ring at an armchair site centred on a partially embedded five-member ring. This process is well-known and has been included in previous KMC models. The rate of this process is taken from Raj [42].

Details of the sources for the rates of other processes are provided in the Supplementary Material. Processes that form seven-member rings in the absence of five-member rings are neglected based on the experimental observation that seven-ring member rings are typically found next to five-member rings.

3 Computational method

3.1 Flame model

The ethylene and acetylene counter-flow diffusion flames studied by Skeen et al. [50] were selected as targets for this study. These are lightly sooting flames with faint luminosity on the oxidiser side of the stagnation plane. Similar flames have been used for mass spectrometry studies of radical-radical reactions [23] and the spatial dependence of oxygen substituted compounds [54].

A schematic of the ethylene flame is shown in Fig. 2 (and Fig. S1 for the acetylene flame). The flames were simulated using Cantera [11] with the mechanism of Narayanaswamy et al. [38] to solve the one-dimensional continuity, momentum, species and energy equations.



Figure 2: Schematic of the ethylene flame. The concentration of pyrene and temperature show the flame structure.

3.2 Kinetic Monte Carlo model

A KMC model was used to simulate the growth of PAHs on the fuel side of the flame. The model tracks the spatial coordinates of the carbon atoms and corresponding reactive sites in each PAH. It uses a combination of the steady-state and partial-equilibrium approximations to estimate the rate of reaction at each site. This treatment of the rates has previously been shown to give good agreement with deterministic simulations of HACA growth [28]. The temperature and species concentrations from the flame simulations (Section 3.1) were provided as boundary conditions to the KMC model, which simulated the growth of PAHs in a Lagrangian control volume travelling from the fuel inlet (DFFO = 0 mm) to just after the sample point (DFFO = 6.17 mm). The PAH growth started from pyrene, the concentration of which was imposed as a boundary condition from the flame simulation based on the assumption that the PAH growth is dominated by gas-phase reactions, consistent with the selection of lightly sooting flames with faint luminosity.

4 Results

4.1 Mass spectra

Fig. 3 shows simulated mass spectra for the acetylene and ethylene flames versus corresponding experimental data. The peaks heights are scaled to match at m/z=202, corresponding to imposing the pyrene concentration as a boundary condition. The maximum number of PAHs in the simulations was 14,060 and 81,500 respectively.

The simulations reproduce the relative abundance of the major peaks reasonably well for the acetylene flame. The level of agreement is less certain for the ethylene flame, where the experimental data are only available up to m/z = 310. In both cases, and in particular the ethylene flame, the simulations underpredict the peaks for small PAHs, for example at m/z = 226. This highlights a potential gap in the current modelling approach, where the growth of multiple small PAHs is simulated in the gas-phase chemical mechanism, and then re-simulated rather than imposed in the KMC simulation.

A number of peaks are missing from the simulated spectra. There are several reasons for this. Firstly, some experimentally observed phenomena including methyl-addition [14], oxygenated species [21, 54], and isotopes [47] are neglected in the current model. Secondly, the model simulates the growth of PAHs from a single species - pyrene. Given that all the remaining growth processes add two carbons, the simulated spectra currently only include even-carbon-numbered species.

4.2 Integration of five- and seven-member rings

Fig. 4 shows the spatial distribution of PAHs containing five- and seven-member rings in the ethylene flame. The temperature and residence time both contribute to observed distribution and it is not possible to separate each contribution within the current study.



Figure 3: Simulated and experimental [50] mass spectra for the acetylene (main) and ethylene (inset) flames.

The first PAHs with one embedded five-member ring are observed at DFFO ≈ 5.7 mm. The concentration of these PAHs increases throughout the remainder of the simulation domain. The subsequent addition of five- and seven-member rings occurs via competitive processes that embed a five-member ring either by adding a six- or seven-member ring. Strong correlation is observed between the concentrations of PAHs with two-embedded five member rings and one seven-member ring. Likewise the concentrations of PAHs with four embedded five-member rings and PAHs with two seven-member rings. By the end of the simulation domain, a few PAHs containing up to six embedded five-member rings or four seven-member rings can be observed.

Fig. 5 presents a flux diagram showing the relative sampling frequency of the processes that integrate curvature in the ethylene flame. The most frequent processes are HACA (1(f), 47.4%) and bay closure (1(e), 37.3%) processes that embed five-member rings by adding six-member rings. These occur with similar frequencies. The rate of the bay closure processes is surprisingly high, but can be explained by the nature of the partially embedded five-member rings. Unlike partially embedded five-member rings in armchair sites, which may migrate and desorb [55], bay sites containing partially embedded five-member rings do not allow such migration. Once a bay site containing partially embedded five-member ring.

Both bay closure (1(c) and 1(d), 8.4%) and HACA (1(a), 1.0%) processes simultaneously embed five-member rings by adding seven-member rings. In this case, the rate of the bay closure is considerably higher than the HACA processes. This is attributed to the inability of a partially embedded five-member ring to migrate from a bay, as above. The remainder of the seven-member ring additions occur via HACA (1(b), 3.6%), two thirds of the time followed by the embedding of a five-member ring (1(f), 2.3%).

4.3 Assessing PAH curvature

The probabilistic model by Yapp et al. [59] estimated the Gauss curvature as a function of the number of embedded five-member rings and six-member rings in a PAH. However, the presence of coupled five- and seven-member rings that share a common bond result in a molecule that is nearly flat [39], violating the assumptions made in the probabilistic model. The introduction of processes that integrate coupled five- and seven-member rings in this work allows us to assess the proportion of PAHs for which this occurs.

To assess this, Fig. 6 shows the distributions of the number of PAHs containing different numbers rings at the end of the simulation domain in the ethylene flame. Most of the small PAHs are completely flat. This is expected because a minimum number of five sixmember rings needed to embed a five-member ring. The maximum proportion of PAHs with one embedded five-member ring occurs in PAHs with around 15 six-member rings. This maximum is accompanied by a significant growth in the proportion of PAHs with a second embedded five-member ring. This delayed increase in the number of PAHs that contain a second embedded five-member ring is due to the isolated pentagon rule [26]: adjacent five-member rings are not allowed. This reduces the degrees of freedom when trying to embed a second five-member ring. The maximum proportion of PAHs with seven-member rings occurs in PAHs with \sim 20 six-member rings. The reduction in the proportion of PAHs containing ether five- or seven-member rings in large PAHs follows the overall trend in the total number of PAHs.

Overlaid on Fig. 6(a) is a scatter plot of the proportion of PAHs with at least one embedded five-member ring that also contain a seven-member ring, $\phi_{7|5}$. These PAHs violate the assumptions in the probabilistic model by Yapp et al. [59]. The data become noisy as the number of five-member rings in large species (containing more than 35 six-member rings)



Figure 4: Spatial distribution of temperature and of PAHs containing five- and sevenmember rings in the ethylene flame. nR5 denotes PAHs containing exactly n embedded five-member rings; nR7 denotes exactly n seven-member rings (embedded or otherwise).



Figure 5: Flux diagram showing the sampling frequency of processes that integrate curvature in the ethylene flame. The solid arrows show processes that integrate curvature. The percentages show the relative sampling frequency of each process. The dashed arrows show processes that add carbon.

decreases. It is observed that the larger a PAH containing an embedded five-member ring, the more likely it is to include a seven-member ring.

The same trend is observed in the proportion of PAHs with at least one seven-member ring that also contain at least one embedded five-member ring, $\phi_{5|7}$ shown in Fig. 6(b). The larger a PAH containing a seven-member ring, the more likely it is to include a embedded five-member ring. It is also observed that a proportion of PAHs that contain sevenmember rings contain no embedded five-member rings. These result from the HACA growth of seven-member rings on partially embedded five-member rings (Fig. 5, Process 1(b), 3.6%). These five-member rings are eventually embedded as PAHs grows, until all PAHs that contain seven-member rings also contain embedded five-member rings in PAHs with more than 30 six-member rings.

5 Conclusions

A KMC model that, for the first time, includes processes to integrate curvature due to the formation of coupled five- and seven-member rings has been used to simulate PAHs growing in ethylene and acetylene counterflow diffusion flames. The simulation results reproduce the major peaks and relative abundances of experimental mass spectra. Including more processes and an more intimate coupling with the gas-phase would allow the simulation of peaks that are currently missing from the simulated spectra.

The addition of five- and seven-member rings occurs via competitive processes HACA and bay closure processes. It was observed that approximately 85% of the events that integrate curvature correspond to the embedding of five-member rings via the formation of



Figure 6: Histograms showing the distributions of the number of five- and seven-member rings as a function of the number of six-member rings in PAHs in the ethylene flame. The proportion of PAHs with a j-member ring that also contain an imember ring is denoted $\phi_{i|j}$. nR5 denotes PAHs containing exactly n embedded five-member rings; nR7 denotes exactly n seven-member rings (embedded or otherwise). DFFO = 6.17 mm.

six-member rings, with HACA and bay closures occurring in similar proportions. The remaining 15% correspond to the formation of seven-member rings coupled to five-member rings, with bay closures occurring approximately twice as often as HACA.

The proportion of PAHs at the end of the simulation domain containing embedded five-

member rings and/or seven-member rings is observed to pass through a maximum for PAHs containing ~ 20 six-member rings. The proportion that contains both five- and seven-member rings increases with PAH size. The assumption that the PAHs contain only five and six-member rings made in the probabilistic model introduced by Yapp et al. [59] is increasingly violated as the PAHs increase in size.

The development of a KMC model that includes processes to describe the formation of five- and seven-member rings by HACA and bay closure processes provides a starting point for future work to model the cross-linking of PAHs. Cross-linking has been suggested to be important for soot formation [17], including specific suggestions about the role of aryl-crosslinks [19], rim-based five-member rings [6], resonantly stabilised radicals [22] and localised π -radicals [34]. Such cross-linking is expected to create bay sites that require the growth processes implemented in this work.

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Supplemental Material

S1 Schematic of the acetylene flame



Figure S1: *Schematic of the acetylene flame. The concentration of pyrene and temperature show the flame structure.*

S2 KMC processes rates

Sections S2.1 and S2.2 provide the elementary reaction rate coefficients and the list of jump processes used in the model and their assumptions.

S2.1 List of Kinetic Monte Carlo jump processes

		$k = AT^n \exp(-E/RT)^a$				
No.	Reactions	Α	n	E	References	
	Hydrogen abstraction from six-member rings					
1	$C_sR_6-H+H \rightarrow C_sR_6^{\bullet}+H_2$	$4.570 imes 10^{08}$	1.880	14.839	[48]	
-1	$C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6^{\bullet} + H$	1.690×10^{04}	2.620	4.559	[48]	
2	$C_s R_6 - H + OH \rightarrow C_s R_6 + H_2O$	5.190×10^{03}	3.040	3.675	[24]	
-2	$C_s R_6^{\bullet} + H_2 O \rightarrow C_s R_6^{\bullet} + OH^{\bullet}$	5.590×10^{00}	3.573	8.659	[24]	
3	$C_s R_6^{\bullet} + H \rightarrow C_s R_6 - H$	4.170×10^{13}	0.150		[15]	
	Hydrogen abstraction from	ı five-member rin	gs			
4	$C_sR_5-H+H \rightarrow C_sR_5^{\bullet}+H_2$	$4.890 imes 10^{09}$	1.508	19.862	[18]	
-4	$C_sR_5^{\bullet} + H_2 \rightarrow C_sR_5 + H$	$5.068 imes10^{04}$	2.445	4.520	[18]	
5	$C_sR_5-H+OH \rightarrow C_sR_5^{\bullet}+H_2O$	5.190×10^{03}	3.040	3.675	[24]	
-5	$C_s^{\bullet} + H_2O \rightarrow C_s + OH$	$5.590 imes10^{00}$	3.573	8.659	[24]	
6	$C_s R_5^{\bullet} + H \rightarrow C_s R_5 - H$	$6.080 imes10^{12}$	0.270		[55]	
	Hydrogen addition to fi	ve-member rings				
7	$C_sR_5H-C_sR_5H+H \rightarrow C_sR_5H_2-C_sR_5H^{\bullet}$	$5.400 imes 10^{11}$	0.450	1.820	[55]	
-7	$C_sR_5H_2 - C_sR_5H^{\bullet} \rightarrow C_sR_5H - C_sR_5H + H$	$3.015 imes 10^{11}$	0.450	-33.367	[55]	
8	$C_sR_5H_2 - C_sR_5H^{\bullet} + H \rightarrow C_sR_5H - C_sR_5H + H_2$	2.000×10^{12}			[55]	
	Armchair gr	owth				
9	$C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6 - R_6 + H$	1.190×10^{22}	-2.450	18.890	[9]	
10	$C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6 - R_6 + H$	$1.060 imes 10^{14}$	-0.490	8.204	[9]	
11	$C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6 - C_2 H + H$	$4.240 imes10^{14}$	0.025	33.080	[9]	
12	$C_s R_6^{\bullet} + C_2 H_2^{\bullet} \rightarrow C_s R_6^{\bullet} - C_2 H + H$	7.640×10^{-2}	3.950	16.495	[9]	
	Free-edge desorption to p	roduce an armcha	ir			
-9	$C_sR_6-R_6+H \rightarrow C_sR_6^{\bullet}+C_2H_2$	$5.465 imes 10^{30}$	-3.657	86.240	[9, 38]	
-10	$C_s R_6 - R_6 + H \rightarrow C_s R_6^{\bullet} + C_2 H_2$	$4.868 imes 10^{22}$	-1.697	75.550	[9, 38]	
	<i>Free-edge ring growth</i>	and desorption				
13	$C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6 - C_2 H_2$	$1.910 imes10^{61}$	-14.600	28.610	[36]	
-13	$C_sR_6-C_2H_2 \rightarrow C_sR_6^{\bullet}+C_2H_2$	$2.499 imes 10^{69}$	-16.430	71.290	[36]	
14	$C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6 - C_2 H + H$	1.100×10^{31}	-4.830	26.620	[36]	
-14	$C_s R_6 - C_2 H + H \rightarrow C_s R_6 + C_2 H_2$	2.542×10^{37}	-6.213	37.610	[36]	
15	$C_s R_6^{\bullet} + \tilde{C}_2 H_2 \rightarrow C_s R_6 - C_2 H_3^{\bullet}$	1.360×10^{75}	-18.400	40.880	[36]	
-15	$C_s R_6 - C_2 H_3^{\bullet} \rightarrow C_s R_6^{\bullet} + C_2 H_2$	$4.055 imes10^{82}$	-20.120	79.400	[36]	
16	$C_s R_6^{\bullet} + \tilde{C}_2 H_3 \rightarrow C_s R_6 - C_2 H_3$	6.000×10^{12}			[38]	
-16	$C_s R_6 - C_2 H_3 \rightarrow C_s R_6^{\bullet} + C_2 H_2$	8.216×10^{23}	-2.162	119.100	[38]	
17	$C_s R_6^{\bullet} + \tilde{C}_2 \tilde{H}_4 \rightarrow \tilde{C}_s \tilde{R}_6 + \tilde{C}_2 \tilde{H}_3$	9.450×10^{-3}	4.470	4.472	[38]	
-17	$C_s R_6 + C_2 H_3 \rightarrow C_s R_6^{\bullet} + C_2 H_4$	2.316×10^{-2}	4.416	6.709	[38]	
18	$\ddot{C_sR_6} + \ddot{C_4H_4} \rightarrow \ddot{C_sR_6} - \dot{R_6} + H$	$1.260 imes 10^{04}$	2.610	1.434	[38]	
-18	$C_s R_6 - R_6 + H \rightarrow C_s R_6^{\bullet} + C_4 H_4$	1.130×10^{16}	0.754	66.940	[38]	
19	$\vec{C_sR_6} + \vec{C_2H_3} \rightarrow \vec{C_sR_6} - \vec{C_2H_3} + \vec{H}$	$1.870 imes10^{07}$	1.470	5.533	[38]	
-19	$C_sR_6 - C_2H_3 + H \rightarrow C_sR_6 + C_2H_3$	$2.042 imes 10^{14}$	-0.221	10.410	[38]	
20	$C_sR_6 - C_2H_3 \rightarrow C_sR_6 - C_2H_2 + H$	3.010×10^{14}	0.340	111.255	[38]	

 Table S1: Elementary reaction rate coefficients

		$k = AT^n \exp(-E/RT)^a$			
No.	Reactions	A	n	E	References
-20	$C_sR_6-C_2H_2+H \rightarrow C_sR_6-C_2H_3$	$2.184 imes10^{11}$	0.722		[38]
21	$C_{s}R_{6}-C_{2}H_{3}+H \rightarrow C_{s}R_{6}-C_{2}H_{2}+H_{2}$	6.350×10^{04}	2.750	11.649	[38]
-21	$C_sR_6 - C_2H_2 + H_2 \rightarrow C_sR_6 - C_2H_3 + H$	2.509×10^{01}	3.375	3.404	[38]
22	$C_{s}R_{6}-C_{2}H_{3}+OH \rightarrow C_{s}R_{6}-C_{2}H_{2}+H_{2}O$	6.550×10^{-2}	4.200	-0.860	[38]
-22	$C_sR_6 - C_2H_2 + H_2O \rightarrow C_sR_6 - C_2H_3 + OH$	$6.705 imes10^{-4}$	4.613	6.162	[38]
23	$C_s R_6 - C_2 H_2 \rightarrow C_s R_6 - C_2 H_3^{\bullet}$	2.440×10^{30}	-5.730	32.070	[36]
-23	$C_s R_6 - C_2 H_3^{\bullet} \rightarrow C_s R_6 - C_2 H_2$	5.560×10^{29}	-5.620	27.910	[36]
24	$C_sR_6-C_2H_3^{\bullet}+C_2H_2 \rightarrow C_sR_6-R_6+H$	$3.020 imes 10^{10}$	0.702	5.530	[36]
-24	$C_{s}R_{6}-R_{6}+H \rightarrow C_{s}R_{6}-C_{2}H_{3}^{\bullet}+C_{2}H_{2}$	$1.387 imes10^{21}$	-0.798	72.450	[36]
25	$C_sR_6-C_2H+H \rightarrow C_sR_6-C_2H_2$	1.590×10^{62}	-14.500	31.760	[36]
-25	$C_sR_6-C_2H_2 \rightarrow C_sR_6-C_2H+H$	9.003×10^{63}	-14.950	63.440	[36]
26	$\mathrm{C_sR_6-C_2H_2+H} \rightarrow \mathrm{C_sR_6-C_2H+H_2}$	$1.650 imes 10^{11}$	0.490	10.630	[38]
-26	$C_{s}R_{6}-C_{2}H+H_{2} \rightarrow C_{s}R_{6}-C_{2}H_{2}+H$	$1.587 imes 10^{09}$	1.184	82.650	[38]
27	$C_sR_6-C_2H_2+OH \rightarrow C_sR_6-C_2H+H_2O$	2.500×10^{12}			[38]
-27	$\mathbf{C}_{\mathbf{s}}\mathbf{R}_{6} - \mathbf{C}_{2}\mathbf{H} + \mathbf{H}_{2}\mathbf{O} \rightarrow \mathbf{C}_{\mathbf{s}}\mathbf{R}_{6} - \mathbf{C}_{2}\mathbf{H}_{2} + \mathbf{O}\mathbf{H}$	6.230×10^{11}	0.482	87.280	[38]
28	$C_{s}R_{6}-C_{2}H+C_{2}H_{3} \rightarrow C_{s}R_{6}-R_{6}+H$	3.600×10^{17}	-1.440	15.758	[38]
-28	$C_{s}R_{6}-R_{6}+H \rightarrow C_{s}R_{6}-C_{2}H+C_{2}H_{3}$	1.619×10^{29}	-3.226	74.700	[38]
29	$C_sR_6-C_2H^{\bullet}+C_2H_2 \rightarrow C_sR_6-R_6^{\bullet}$	$4.490 imes 10^{82}$	-20.000	51.830	[36]
-29	$C_sR_6-R_6^{\bullet} \rightarrow C_sR_6-C_2H^{\bullet}+C_2H_2$	1.338×10^{94}	-21.840	143.500	[36]
30	$C_sR_6 - C_2H^{\bullet} + C_2H_2 \rightarrow C_sR_6 - R_6^{\bullet}$	1.180×10^{104}	-25.700	76.820	[36]
-30	$C_sR_6 - R_6^{\bullet} \rightarrow C_sR_6 - C_2H^{\bullet} + C_2H_2$	3.917×10^{115}	-27.550	168.800	[36]
31	$C_sR_6 - C_2H^{\bullet} + C_2H_2 \rightarrow C_sR_6 - R_6^{\bullet}$	4.490×10^{82}	-20.000	51.830	[36]
-31	$C_sR_6 - R_6^{\bullet} \rightarrow C_sR_6 - C_2H^{\bullet} + C_2H_2$	1.338×10^{94}	-21.840	143.500	[36]
32	$\mathbf{C}_{\mathbf{s}}\mathbf{R}_{6} - \mathbf{C}_{2}\mathbf{H}^{\bullet} + \mathbf{C}_{2}\mathbf{H}_{2} \rightarrow \mathbf{C}_{\mathbf{s}}\mathbf{R}_{6}(\mathbf{C}_{2}\mathbf{H})(\mathbf{C}_{2}\mathbf{H}_{3}) + \mathbf{H}$	1.760×10^{40}	-7.040	48.210	[36]
-32	$\mathbf{C}_{\mathbf{s}}\mathbf{R}_{6}(\mathbf{C}_{2}\mathbf{H})(\mathbf{C}_{2}\mathbf{H}_{3}) + \mathbf{H} \rightarrow \mathbf{C}_{\mathbf{s}}\mathbf{R}_{6} - \mathbf{C}_{2}\mathbf{H}^{\bullet} + \mathbf{C}_{2}\mathbf{H}_{2}$	9.718×10^{46}	-8.438	60.840	[36]
33	$C_sR_6 - C_2H^{\bullet} + C_2H_4 \rightarrow C_sR_6 - R_6 + H$	3.620×10^{28}	-4.240	23.860	[38]
-33	$C_sR_6 - R_6 + H \rightarrow C_sR_6 - C_2H^{\bullet} + C_2H_4$	1.583×10^{40}	-6.094	87.580	[38]
34	$C_{s}R_{6}-C_{2}H_{2}+C_{2}H_{2} \rightarrow C_{s}R_{6}-R_{6}+H$	3.570×10^{22}	-2.720	14.470	[36]
-34	$C_{s}R_{6}-R_{6}+H \rightarrow C_{s}R_{6}-C_{2}H_{2}+C_{2}H_{2}$	3.736×10^{32}	-4.109	77.230	[36]
35	$C_sR_6(C_2H)(C_2H_3) + H \rightarrow C_sR_6 - R_6^{\bullet}$	1.010×10^{86}	-20.600	56.700	[36]
-35	$C_sR_6 - R_6^{\bullet} \rightarrow C_sR_6(C_2H)(C_2H_3) + H$	5.450×10^{90}	-21.040	138.800	[36]
36	$C_sR_6(C_2H)(C_2H_3) + H \rightarrow C_sR_6 - R_6^{\bullet}$	6.000×10^{108}	-26.600	83.590	[36]
-36	$C_sR_6 - R_6^{\bullet} \rightarrow C_sR_6(C_2H)(C_2H_3) + H$	3.607×10^{113}	-27.050	162.900	[36]
	Six-member ba	<i>iy closure</i>			
37	$C_sR_6-H+H \rightarrow C_sR_6^{\bullet}+H_2$	9.240×10^{07}	1.500	9.646	[43]
-37	$C_sR_6 + H_2 \rightarrow C_sR_6 + H$	9.600×10^{04}	1.960	9.021	[43]
38	$C_s R_6^{\bullet} \rightarrow C_s R_6 - R_6^{\bullet}$	1.110×10^{11}	0.658	23.990	[43]
39	$C_s R_6^{\bullet} \rightarrow C_s R_6 - R_6^{\bullet}$	3.490×10^{12}	-0.390	2.440	[43]
40	Five-member b	ay closure	1 7(0	0.60	[[]]]
40	$C_s R_6 - H + H \rightarrow C_s R_6^{-1} + H_2$	7.250×10^{07}	1.760	9.69	[51]
-40	$C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6 + H$	3.400×10^{00}	0.880	/.8/0	[51]
41	$C_s R_6^{-} + C_s R_6^{-} - H \rightarrow C_s R_6^{-} - C_s R_6^{-} - H$	3.860×10^{11}	0.210	17.700	[51]
40	$C \mathbf{P}^{\bullet} + \mathbf{A} \rightarrow C \mathbf{P} \mathbf{A} \rightarrow \mathbf{U}$	$\frac{1000}{2}$	20.700	16 000	[45]
42	$\mathbf{C}_{\mathbf{s}}\mathbf{K}_{6} + \mathbf{A}_{1} \rightarrow \mathbf{C}_{\mathbf{s}}\mathbf{K}_{6} - \mathbf{A}_{1} + \mathbf{H}$	2.220×10^{83}	-20.790	40.890	[45] [45]
43	$\mathcal{C}_{s}\mathbf{n}_{6} + \mathbf{A}_{1} \rightarrow \mathcal{C}_{s}\mathbf{n}_{6} - \mathbf{A}_{1} + \mathbf{n}$	2.220×10^{32}	-20.790	40.890	[43]
11	rive-member ring gro	win on a zig-zag 1.250×10^{27}	2 050	16 770	[0]
44 15	$C_{s} R_{6} + C_{2} \Pi_{2} \rightarrow C_{s} R_{6} - R_{5} + \Pi$	1.230×10^{-10}	-3.930	10.//9 0 000	נאן נסו
4J 46	$C_{s} R_{6} + C_{2} \Pi_{2} \rightarrow C_{s} R_{6} - R_{5} + \Pi$ $C R \bullet + C_{s} H_{s} \rightarrow C R_{s} - C H + H$	3.090×10^{-10} 3.090×10^{25}	-2.760 -3.110	0.009	[7] [0]
+0 17	$C_{s} C_{6} = C_{2} C_{12} \rightarrow C_{s} C_{6} = C_{2} C_{11} + C_{11}$	3.090×10^{-7} 2.850 $\sim 10^{7}$	-5.110	13 100	[2] [0]
4/	$C_s R_6 + C_2 \Pi_2 \rightarrow C_s R_6 - C_2 \Pi + \Pi$	2.000 × 10	1.520	15.190	[7]

No. Reactions Image of the second			$k = AT^n \exp(-E/RT)^a$				
$ \begin{array}{c} Five-member ring desorption \\ \hline Five-member ring desorption \\ \hline Five-member ring rows 10^{14} & 42.42 \\ \hline C, R, H_2-C, R, H^+ \rightarrow C, R_0^+ + C, H_2 \\ \hline S, R, H_2-C, R, H^+ \rightarrow C, R_0^+ + C, H_2 \\ \hline S, R, H_2-C, R, H^+ \rightarrow C, R_0^+ + C, R_1 \\ \hline Five-member ring ingration to a siz-sag site \\ \hline S, C, R, H_2-C, R, H^+ \rightarrow C, R_0^+ + C, R_0^+ \\ \hline Five-member ring ingration to a manchair site \\ \hline S, C, R, H_2-C, R, H^+ \rightarrow C, R_0^- C, R_0^+ \\ \hline Five-member ring ingration to a manchair site \\ \hline S, C, R, H^+ - C, R, -C, R, H^+ \\ \hline Five-member ring ingration to a manchair site \\ \hline S, C, R, H^+ - C, R, -C, R, H^+ \\ \hline Five-member ring conversion to six-member ring neighbouring a free-edge site \\ \hline Five-member ring conversion to six-member ring neighbouring a free-edge site \\ \hline S, C, R_0^+ + C_2H_2^- \rightarrow C, R_0^- C, H_2 \\ \hline Five-member ring conversion to five-member ring neighbouring a free-edge site \\ \hline S, C, R_0^+ + C_2H_2^- \rightarrow C, R_0^- C, H_2 \\ \hline S, S, member ring conversion to five-member ring neighbouring a free-edge site \\ \hline S, C, R_0^+ + C, R_0^ C, H^ C, H^- \\ \hline S, S, member ring conversion to five-member ring neighbouring a manchair site \\ \hline S, C, R_0^+ + C, R_0^ C, R_1^ C, H^- \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, H^- \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, H^- \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, H^- \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, H^- \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, H^- \\ \hline S, R_2^+ - C, R_1^+ - C, R_2^- + H^- \\ \hline S, R_2^+ - C, R_1^+ - C, R_2^ C, R_3^ C, R_3^ C, R_3^ C, R_3^- \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, R_1^+ \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, R_1^+ \\ \hline S, R_1^+ - C, R_1^+ + C_2^ C, R_1^+ \\ \hline S, R_2^+ - C, R_1^+ - C, R_2^+ + \\ \hline S, R_2^+ - C, R_1^+ - C, R_2^+ + \\ \hline S, R_2^+ - C, R_1^+ - C, R_1^+ \\ \hline S, R_1^+ - C, R_1^+ + \\ \hline S, R_1^+ - C, R_1^+$	No.	Reactions	A	<u>n</u>	E	References	
48 C, R, → C, R, − C, P, ↑ 1.000×10 ¹⁴ 42.42 [7] 49 C, R, H ₂ − C, R, H ⁺ → C, R ₀ + C, H ₂ 3.100×10 ¹⁴ 0.870 74.232 [55] 51 C, R, H ₂ − C, R, H ⁺ → C, R ₀ + C, H + H 6.700×10 ¹¹ 0.840 70.790 [55] 52 C, R, H ₂ − C, R, H ⁺ → C, R ₀ + C, R ₁ + H 1.300×10 ¹¹ 0.160 45.900 [55] 52 C, R ₃ H ₂ − C, R ₄ + → C, R ₆ − C, R ₄ + H 1.300×10 ¹¹ 0.160 45.900 [55] 53 C, R ₃ H ⁺ − C, R ₆ → C R ₆ − C, R ₄ + H 1.300×10 ¹⁰ 0.160 45.900 [55] 54 C, R ₆ + C, 2H ₂ → C, R ₆ − C, H ₂ 3.330×10 ³³ -5.7 25.500 [4,53] 55 C, R ₆ + C, R ₄ → C, R ₆ − C, H ₂ 3.330×10 ³¹ -160 45.900 [55] 51 C, R ₆ + C, R ₄ → C, R ₆ − C, H + C, R ₆ 1.300×10 ¹⁰ 0.160 45.900 [45] 52 C, R ₆ + C, R ₄ → C, R ₆ − C, R ₄ + C, R ₂ − C, R ₄ 1.300×10 ¹¹ 0.160 45.900 [55] 54 C, R ₆ + C, R ₄ + C, R ₄ - C, R ₄ 1.300×10 ¹¹ 0.160 45.900 [55] 55. <td></td> <td>Five-member ring</td> <td>desorption</td> <td></td> <td></td> <td></td>		Five-member ring	desorption				
$ \begin{array}{c} 10 & C_{k}^{14} - C_{k}^{14} + C_{k}^{16} + C_{k}^{14} - 2 \\ C_{k}^{14} - C_{k}^{16} + C_{k}^{16} + C_{k}^{12} \\ C_{k}^{14} - C_{k}^{16} + C_{k}^{16} - C_{k}^{16} + 1 \\ Five-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & 70.790 \\ Five-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & 70.790 \\ Five-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & 70.790 \\ Five-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & 70.790 \\ Five-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & 70.790 \\ Five-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & 70.790 \\ Five-member ring conversion to six-member ring migration to a ziz-ag site \\ \end{array} \right. \\ \begin{array}{c} 10 & S40 & S40 \\ C_{k}^{16} + C_{k}^{12} - C_{k}^{16} - C_{k}^{16} + 1 \\ S40 & C_{k}^{16} + C_{k}^{12} + C_{k}^{16} - C_{k}^{16} - 2 \\ S40 & C_{k}^{16} + C_{k}^{12} + C_{k}^{16} - C_{k}^{16} - 2 \\ S40 & C_{k}^{16} + C_{k}^{12} + C_{k}^{16} - C_{k}^{16} - 2 \\ S40 & C_{k}^{16} + C_{k}^{12} + C_{k}^{16} - C_{k}^{16} - 2 \\ S40 & 10^{10} & 1.610 & 3.896 \\ \end{array} \right. \\ \begin{array}{c} 10 & S10 & S10 \\ S10 & S10 \\ S10 & S10 & S$	48	$C B \bullet \rightarrow C B - C H \bullet$	1.600×10^{14}		42 42	[7]	
10 CR_3H_2 ⊂ CR_3H → CR_6 ⊂ CH + H 5.00×10 ¹¹ 0.000 17.200 [55] 15 CR_3H_2 ⊂ CR_3H → CR_6 ⊂ CH + H 5.00×10 ¹¹ 0.100 45.900 [55] 15 CR_3H_2 − CR_3H → CR_6 − CR_4H 1.300×10 ¹¹ 0.160 45.900 [55] 15 CR_3H − CR_6 → CR_6 − CR_4H 1.300×10 ¹¹ 0.160 45.900 [55] 16 Partially embedded five-member ring filp reaction 1.610 3.896 [4] 17 Five-member ring conversion to six-member ring neighbouring a free-edge site [4] 5 CR_6 + C_2H_2 → CR_6 − C_2H_2 3.30×10 ¹³ -5.7 2.5.500 [4] 15 CR_6 + C_2H_2 → CR_6 − C_2H_2 1.300×10 ¹¹ 0.160 45.900 [55] 16 CR_6 + C_2H_2 ← C_3H + C_2 − C_2H 1.300×10 ¹¹ 0.160 45.900 [4] 15 CR_6 + C_3H_2 ← C_3H_1 ← C_2H 1.300×10 ¹¹ 0.160 45.900 [4] 15 Six-member ring conversion to five-member ring neighbouring a five-carbon bay site 50 CR_6 + C_3H_2 ← C_3H_2 ← C_3H_2 1.300×10 ¹⁰ 1.410 85.200 [7] 16 C_8_8 - C_8_6 - C_8_8 - C_8_	40	$C_{s}R_{5} \rightarrow C_{s}R_{6} \rightarrow C_{2}R_{5} \rightarrow C_{8}R_{6} \rightarrow C_{2}R_{5} \rightarrow C_{8}R_{6} \rightarrow C_{8}R_{5} \rightarrow C_{8} \rightarrow C_{8$	3.100×10^{11}	0.870	74 323	[55]	
50 C _{R351} − C _{R3} −	50	$C_{s}R_{5}H_{2} - C_{s}R_{5}H \rightarrow C_{s}R_{6} + C_{2}H_{2}$	5.100×10^{10} 6 700 × 10 ¹¹	0.840	70 790	[55]	
51 C _k R ₃ H ₂ −C _k R ₃ H → C _k R ₄ H ⊂ C _k R ₄ L ₂ 1.300×10 ¹¹ 0.160 45.900 [55] <i>Five-member ring migration to an armchair site</i> 52 C _k R ₃ H → C _k R ₄ → C _k R ₄ H 1.300×10 ¹¹ 0.160 45.900 [55] <i>Five-member ring non-extend to be solution</i> 1.60 3.800×10 ¹¹ 0.160 45.900 [4] 52 C _k R ₄ + C _s R ₄ → C _k R ₄ - C ₂ H ₂ 1.300×10 ¹¹ 0.160 45.900 [4] 52 C _k R ₄ + C _s H ₂ → C _k R ₆ - C ₂ H ₂ 3.330×10 ¹³ -5.7 2.5.500 [4] 52 C _k R ₆ + C _s H ₂ → C _k R ₆ - C ₂ H ₂ 1.300×10 ¹¹ 0.160 45.900 [55] 52 C _k R ₆ + C _s R ₄ + C _s C ₂ R ₄ + C _s C ₂ R ₄ 1.300×10 ¹¹ 0.160 45.900 [4] 52 C _k R ₆ + C _s R ₄ + C _s C ₂ R ₄ 1.300×10 ¹⁰ 1.410 85.200 [55] <i>Six-member ring conversion to five-member ring neighbouring a five-carbon bay site</i> 52 52 C _k R ₆ + C _s R ₆ C _k H ₄ 2.300×10 ¹⁰ 1.410 85.200 [51] <i>Six-member ring conversion to six-member ring a five-carbon bay s</i>	50	$C_s R_5 R_2 = C_s R_5 R_1 + R_5 C_s R_6 = C_2 R_1 + R_5 C_s R_5 R_5 R_5 R_5 R_5 R_5 R_5 R_5 R_5 R_5$	on to a zig-zag sit	ρ	10.190	[55]	
$\begin{array}{c} C_{R_{3}} G_{12} C_{R_{3}} G_{12} C_{R_{3}} G_{12} C_{R_{3}} G_{12} C_{R_{3}} G_{12} C_{R_{3}} G_{12} G_{12$	51	$C R H - C R H^{\bullet} \rightarrow C R H^{\bullet} - C R H$	1300×10^{11}	0 160	45 900	[55]	
52 C ₈ R ₅ H ₂ −C ₈ R ₅ H → C ₈ R ₆ −C ₈ R ₇ + H 1.300 × 10 ¹¹ 0.160 45.900 [55] Partially embedded five-member ring flip reaction 53 C ₈ R ₅ H −CSR ₆ −C ₈ R ₁ + H 1.000 × 10 ¹¹ [55, 57] Five-member ring conversion to six-member ring neighbouring a free-edge site 54 C ₈ R ₆ + C ₄ H ₂ → C ₈ R ₆ −C ₄ H ₂ 1.300 × 10 ¹¹ 0.160 45.900 [55] Six-member ring conversion to five-member ring neighbouring a five-carbon bay site Six-member ring conversion to five-member ring neighbouring a five-carbon bay site Six-member ring conversion to five-member ring neighbouring a five-carbon bay site Six-member ring conversion to five-member ring neighbouring a five-carbon bay site Six-member ring conversion to five-member ring Six-member ring desorption neighbouring a five-carbon bay site Six-member ring conversion to five-member ring Six-member ring conversion to a dig-cag neighbouring a five-carbon bay site Six-member ring conversion to a dig-cag neighbouring a five-carbon bay site Six-member ring conversion to a dig-cag neighbouring a five-carbon bay site Six-member ring conversion to a dig-cag neighbbouring a five-member ring	51	$C_s R_5 R_2 = C_s R_5 R_1 + C_s R_5 R_2$ Five-member ring migration	n to an armchair s	0.100	45.900	[55]	
$ \begin{array}{llllllllllllllllllllllllllllllllllll$	52	$C R_{-}H_{-}-C R_{-}H^{\bullet} \rightarrow C R_{-}-C R_{+}+H$	1300×10^{11}	0 160	45 900	[55]	
53 C _k R ₃ H [−] −CsR ₆ → CsR ₆ −C _k R ₄ H [−] 1.000×10 ¹¹ [55, 57] <i>Five-member ring conversion to six-member ring neighbouring a free-edge site</i> 54 C _k R ₆ ⁺ + C ₂ H ₂ → C _k R ₆ − C ₂ H ₂ 3.330×10 ³³ -5.7 25.500 [4, 53] 55 C _k R ₆ ⁺ + C ₂ H ₂ → C _k R ₆ 1.300×10 ¹¹ 0.160 45.900 [55] Six-member ring conversion to five-member ring neighbouring a memchair site Six-member ring conversion to five-member ring neighbouring a memchair site Six-member ring conversion to five-member ring neighbouring a memchair site Six-member ring conversion to five-member ring neighbouring a memchair site Six-member ring conversion to five-member ring neighbouring a five-carbon bay site Six-member ring conversion to a give-carbon bay site Six-member ring conversion to give-member ring Six-member ring convethon a give-carbon bay s	52	$C_s R_5 \Pi_2 = C_s R_5 \Pi = 7 C_s R_6 = C_s R_6 + \Pi$ Partially embedded five-men	her ring flip react	0.100	чJ.700	[55]	
$ \begin{array}{c} 1000 \\ \hline c_{1}c_{1}c_{2}c_{1}c_{2}c_{2}c_{3}c_{6}c_{2}c_{3}c_{2}c_{4}c_{2}c_{4}c_{6}c_{6}c_{1}c_{2}c_{4}c_{6}c_{6}c_{6}c_{6}c_{6}c_{6}c_{6}c_{6$	53	$C B_{-}H^{\bullet}-C_{S}B_{-} \rightarrow C_{S}B_{-}-C B_{-}H^{\bullet}$	1.000×10^{11}	1011		[55, 57]	
54 C ₈ R ₆ + 4·2µ → C ₈ R ₆ −C ₈ P ₂ 1.100 × 10 ⁰⁷ 1.610 × 3.896 [4] 55 C ₈ R ₆ + 4·2µ → C ₈ R ₆ −C ₈ P ₂ 3.330 × 10 ³³ −5.7 25.500 [4, 53] 56 C ₈ R ₆ + C ₈ H ₇ → C ₈ R ₆ −C ₂ H → C ₈ R ₆ 1.300 × 10 ¹¹ 0.160 45.900 [55] Six-member ring conversion to five-member ring neighbouring an armchair site 1.300 × 10 ¹¹ 1.080 70.420 [7] Six-member ring conversion to five-member ring neighbouring a five-carbon bay site 1.603 61.850 [43] 59 C ₈ =RY5 −C ₈ R ₆ → CSR ₆ −C ₈ R ₇ −C ₈ R ₇ + H 1.230 × 10 ¹⁰ 1.410 85.200 [51] Six-member ring desorption neighbouring a five-carbon bay site 60 C ₈ =C ₈ R ₇ → CSR ₆ −C ₈ R ₇ −C ₈ R ₇ + H 1.230 × 10 ¹⁰ 1.603 61.850 [43] Migration of partially embedded five-member ring 61 C ₈ R ₇ −C ₈ R ₇ → CSR ₆ −C ₈ R ₇ −C ₈ R ₇ + 4.960 × 10 ¹¹ 0.755 50.000 [51] Six-member ring growth between two five-member ring 62 C ₈ R ₇ + C ₂ R ₇ − C ₈ R ₇ − C ₈ R ₇ − C ₈ R ₇ + C ₈ R ₇ + C ₈ R ₇ + C ₈ R ₇ → C ₈ R ₇ − C ₈ R ₇ 1.235 × 10 ¹⁰⁷ 1.530	55	$C_s RSII = CSR_6 + CSR_6 + C_s RSII$ Five-member ring conversion to six-member	r ring neighbouri	ng a free-edo	ne site	[55, 57]	
$ \begin{array}{c} c_{x}c_{b} + (-2_{H}) - (-2_{x}c_{b}) - (-2_{H}) - (-2_{H}) \\ c_{x}c_{h} + (-2_{H}) - (-2_{R}c_{h}) - (-2_{R}c_{h}) \\ c_{x}c_{h}c_{h} + (-2_{H}) - (-2_{R}c_{h}) - (-2_{R}c_{h}) \\ c_{x}c_{h}c_{h} + (-2_{H}) - (-2_{R}c_{h}) - (-2_{R}c_{h}) \\ c_{x}c_{h}c_{h} + (-2_{R}c_{h}) \\ c_{x}c_{h}c_{h}c_{h} + (-2_{R}c_{h}) \\ c_{x}c_{h}c_{h}c_{h} + (-2_{R}c_{h}) \\ c_{x}c_{h}c_{h}c_{h}c_{h}c_{h}c_{h}c_{h}c_{h$	54	$C B \stackrel{\bullet}{_{\sim}} + C H_{2} \rightarrow C B \stackrel{\bullet}{_{\sim}} - C H_{2}$	$1 100 \times 10^{07}$	1 610	3 896	[4]	
3.5 C _x R ₀ + C ₂ 112 − C _x R ₁ H + C _x − C ₂ 112 − C _x R ₆ 1.300 × 10 ¹¹ 0.160 45.900 [55] Sk-member ring conversion to five-member ring neighbouring an armchair site 1.300 × 10 ¹¹ 1.080 70.420 [7] Sk-member ring conversion to five-member ring neighbouring a five-carbon bay site 1.300 × 10 ¹⁰ 1.080 70.420 [7] Sk-member ring conversion to five-member ring neighbouring a five-carbon bay site 1.850 [43] Sk-member ring desorption neighbouring a five-carbon bay site 1.410 85.200 [51] Sk-member ring desorption neighbouring a five-carbon bay site 1.603 61.850 [43] Migration of partially embedded five-member ring 1.55 50.000 [51] Sk-member ring growth on a zig-zag neighbouring a five-carbon bay site 1.55 50.000 [51] Sk-member ring growth on a zig-zag neighbouring a five-member ring 1.55 50.000 [51] Sk-member ring conversion to six-member ring neighbouring in give-member ring 1.55 50.000 [51] Sk-member ring conversion to six-member ring neighbouring in enember ring 1.235 × 10 ⁶⁷ 1.530 9.311 [55] Sk-member ring growth on a zig-zag neighbouring in enember ring	55	$C_{s}R_{6}^{\bullet} + C_{2}H_{2}^{\bullet} \rightarrow C_{s}R_{6}^{\bullet} + C_{2}H_{2}^{\bullet}$	1.100×10^{33}	-5.7	25 500	[⁺]	
3.0 c ₈ x ₆ , t ₁ + c ₈ x ₆ , t ₂ , t ₃ x ₆ , t ₁ + c ₈ x ₆ , t ₁ + c _{8}x₆, t₁ + c_{8}x₆, t_{1} + c_{8}x_{6}x_{6}x_{6}x_{6}x_{6}x_{6}x_{6}x_{6}x_{}}}</sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub></sub>	55	$C_{s}R_{6} + C_{2}\Pi_{2} \rightarrow C_{s}R_{6} - C_{2}\Pi_{2}$	3.330×10^{11}	-3.7	25.500 45.000	[4, 55]	
57 $C_s R_6^- \rightarrow C_s R_1 + C_s - C_s H$ 1.300 × 10 ¹¹ 1.080 70.420 [7] Six-member ring conversion to five-member ring neighbouring a five-carbon bay site 58 $C_{s-BY5} - C_s R_6^- \rightarrow Cs R_5 - C_s R_5 + H$ 2.300 × 10 ¹⁰ 1.410 85.200 [51] Six-member ring desorption neighbouring a five-carbon bay site 60 $C_{s-BY5} - C_s R_6^- \rightarrow Cs R_6 - C_s R_5 + H$ 1.230 × 10 ¹⁰ 1.410 85.200 [51] Six-member ring desorption neighbouring a five-carbon bay site 60 $C_{s-BY5} - C_s R_6^- \rightarrow Cs R_6 - C_s R_5 - C_s R_5 + H 2.300 × 1010 1.603 61.850 [43] Migration of partially embedded five-member ring 61 C_s R_5 - C_s R_5 - C_s R_6^ C_s R_5 - C_s R_5 + R_6 1.235 × 10107 1.530 9.311 [55] Six-member ring growth on a zig-zag neighbouring a five-member ring Six-member ring conversion to six-member ring neighbouring five-member ring [55] Six-member ring conversion to six-member ring neighbouring five-member ring 61 C_s R_5 + C_s R_5 - R_6^- R_6^- R_5^- R_6^- R_5^- R_5 + $	50	$C_s K_5 \Pi_2 - C_s K_5 \Pi + C_s - C_2 \Pi \rightarrow C_s K_6$	1.500 × 10	0.100	43.900	[33]	
$ \begin{array}{c} 37 & C_{8}C_{6} \rightarrow C_{8}C_{5}C_{1}C_{2}C_{1}C_{2}C_{1}C_{1}C_{2}C_{1}C_{2}C_{1}C_{2}C_{2}C_{1}C_{2}C_{2}C_{2}C_{1}C_{2}C_{2}C_{2}C_{1}C_{2}C_{2}C_{2}C_{1}C_{2}C_{2}C_{2}C_{2}C_{2}C_{2}C_{2}C_{2$	57	$C \mathbf{P}^{\bullet} \setminus C \mathbf{P} \mathbf{H} = C \mathbf{P} \mathbf{H}^{\bullet} + C - C \mathbf{H}$	$1 200 \times 10^{11}$	1 090	70 420	[7]	
Six-member fing Conversion to five-member fing neignbouring of 1.603 of 3.850 [43] 58 C ₈ -BY5-C ₈ R ₆ → CSR ₆ -C ₈ R ₅ -C ₈ R ₅ + H 2.300 × 10 ¹⁰ 1.410 85.200 [51] Six-member ring desorption neighbouring a five-carbon bay site 60 C ₈ -BY5-C ₈ R ₆ → CSR ₆ + C ₂ H ₂ 2.300 × 10 ⁰⁹ 1.603 61.850 [43] Migration of partially embedded five-member ring 61 C ₈ R ₅ -C ₈ R ₆ → CSR ₆ + C ₈ R ₅ - C ₈ R ₅ H 4.960 × 10 ¹¹ 0.755 50.000 [51] Six-member ring growth on a zig-zag neighbouring a five-member ring 62 C ₈ R ₅ + C ₂ H ₂ → CSR ₅ - R ₆ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] Six-member ring growth between two five-member ring Six-member ring conversion to six-member ring neighbouring five-member ring Six-member bay closure containing a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring Six-mem	57	$C_s R_6 \rightarrow C_s R_5 \Pi_2 - C_s R_5 \Pi + C_s - C_2 \Pi$	1.500×10^{12}	1.080 	70.420	[/]	
35 C _{s-BY5} -C _s R ₆ → CsR ₆ -C _s R ₅ -C _s R ₅ + H 2.500×10 ⁻¹⁰ 1.005 61.550 [51] 59 C _{s-BY5} -C _s R ₆ → CsR ₆ -C _s R ₅ -C _s R ₅ + H 1.230×10 ¹⁰ 1.410 85.200 [51] Six-member ring desorption neighbouring a five-carbon bay site 60 C _{s-BY5} -C _s R ₆ → CsR ₆ -C _s R ₅ + C ₂ H ₂ 2.300×10 ¹⁰ 1.603 61.850 [43] Migratin of partially embedded five-member ring 61 C _s R ₅ - C _s R ₆ - C _s R ₆ - C _s R ₅ - C _s R ₅ H 4.960×10 ¹¹ 0.755 50.000 [51] Six-member ring growth on a zig-zag neighbouring a five-member ring Six-member ring conversion to six-member ring Six-member ring conversion to six-member ring neighbouring five-member ring Six-member ring conversion to six-member ring neighbouring five-member ring Six-member ring conversion to six-member ring meighbouring five-member ring Six-member ring growth on a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring Six-member ring growth on a partially embedded five-member ring	50	Six-member ring conversion to five-member ri	ng neighbouring c	i jive-carbon	<i>c</i> 1 950	[42]	
59 C _{s−BY5} −C _s R ₆ ⁻ → CsR ₆ ⁻ − C _s R ₅ ⁻ + H 1.230 × 10 ⁻⁹ 1.410 85.200 [51] 60 C _{s−BY5} −C _s R ₆ ⁻ → CsR ₆ ⁻ −C _s R ₅ ⁺ + C ₂ H ₂ 2.300 × 10 ⁰⁹ 1.603 61.850 [43] 61 C _s R ₅ −C _s R ₆ ⁺ → CsR ₆ ⁻ −C _s R ₅ ⁻ + C _s R ₃ H 4.960 × 10 ¹¹ 0.755 50.000 [51] 62 C _s R ₅ + C ₂ H ₂ → CsR ₅ - C _s R ₅ H 4.960 × 10 ¹¹ 0.755 50.000 [51] 63 C _s R ₅ + C ₂ H ₂ → CsR ₅ - R ₆ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] 64 C _s R ₅ + C ₂ H ₂ → CsR ₅ - R ₆ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] 7 Six-member ring growth between two five-member ring 5 2.280 61.489 [55] 8 Six-member ring growth on a partially embedded five-member ring armchair 5 5 6 - C _s R ₆ + C _s R ₆ + H ₂ 2.280 61.489 [55] 8 Six-member ring growth on a partially embedded five-member ring armchair 5 5 - C _s R ₆ + C _s R ₆ + H ₂ → C _s R ₆ + H ₂ 2.540 × 10 ¹¹ 0.658 23.990 t.w. 5 Six-member ring growth on a partially embedded five-member ring armcha	58	$C_{s-BY5} - C_s K_6^{-} \rightarrow Cs K_6 - C_s K_5 - C_s K_5 + H$	2.300×10^{39}	1.603	01.850	[43]	
$ \begin{array}{c} \text{Sitemember ring desorption neighbouring a five-carbon bay site} \\ \text{60} C_{s-BY5}-C_sR_6^+ \rightarrow CsR_6^-+C_sR_5-C_sR_5 \\ \text{Migration of partially embedded five-member ring} \\ \text{61} C_sR_5-C_sR_5-C_sR_6^+ \rightarrow CsR_6^+-C_sR_5-C_sR_5 \\ \text{Migration of partially embedded five-member ring} \\ \text{62} C_sR_5^++C_2H_2 \rightarrow CsR_5-R_6 \\ \text{Sitemember ring growth on a zig-zag neighbouring a five-member ring} \\ \text{63} C_sR_5^++C_2H_2 \rightarrow CsR_5-R_6 \\ \text{Sitemember ring growth between two five-member rings} \\ \text{64} C_sR_5^++C_2H_2 \rightarrow CsR_5-R_6 \\ \text{Sitemember ring conversion to site-member ring neighbouring five-member ring} \\ \text{64} C_sR_5^++C_sR_5H \rightarrow CsR_6-R_5 \\ \text{Sitemember ring conversion to site-member ring neighbouring five-member ring} \\ \text{65} C_sR_6^++C_sR_5-R_6^+ \\ \text{Sitemember ring growth on a partially embedded five-member ring} \\ \text{66} C_sR_6^++C_sR_6-R_6^+ \\ \text{Sitemember ring growth on a partially embedded five-member ring} \\ \text{66} C_sR_6^++H_2 \rightarrow C_sR_6^++H \\ \text{Sitemember ring growth on a partially embedded five-member ring} \\ \text{66} C_sR_6^++L_2 \rightarrow C_sR_6^++L_2 \\ \text{91} (30 \times 10^{12} 0.397 8.815 [42] \\ \text{67} C_sR_6^+-C_2H_2 \rightarrow C_sR_6^++C_2H_2 \\ \text{91} (30 \times 10^{12} 0.499 5.675 [42] \\ \text{68} C_sR_6^C_2H_2 \rightarrow C_sR_6^++C_sH_3 \\ \text{63} (320 \times 10^{11} 0.991 15.990 [42] \\ \text{68} C_sR_6^C_sH_3 \rightarrow C_sR_6^+-C_sH_3 \\ \text{92} (320 \times 10^{11} 0.064 16.310 [42] \\ \text{92} C_sR_6^C_sH_3 \rightarrow C_sR_6^+-C_sH_3 \\ \text{93} (320 \times 10^{11} 0.501 41.500 [42] \\ \text{70} C_sR_6^C_sR_6^+ \rightarrow C_sR_6^+-C_sH_3 \\ \text{94} (310 \times 10^{11} 0.501 41.500 [42] \\ \text{71} C_sR_6^+-C_sR_6^+ \rightarrow C_sR_6^+-C_sH_3 \\ \text{72} (376 \times 10^{11} 0.503 23.870 [42] \\ \text{72} C_sR_6^+-C_sR_6^+ + C_sR_6 \\ \text{73} (376 \times 10^{11} 0.563 23.870 [42] \\ \text{74} C_sR_6^+-C_sR_6^+ + H_2 \\ \text{75} (587 \times 10^{11} 0.563 23.870 [42] \\ \text{77} C_sR_6^+-C_sR_6^+ + H_2 \\ \text{78} (576 \times 10^{11} 0.563 23.870 [42] \\ \text{77} C_sR_6^+-C_sR_6^+ + H_2 \\ \text{78} (587 \times 10^{11} 0.563 23.870 [42] \\ \text{77} C_sR_6^+-$	59	$C_{s-BY5} - C_s R_6 \rightarrow Cs R_6 - C_s R_5 - C_s R_5 + H$	1.230×10^{10}	1.410	85.200	[51]	
60 $C_{s=BY5}-C_sR_6^+ \rightarrow C_sR_6^+ + C_2H_2$ 2.300 × 10 ¹⁰ 1.603 61.850 [43] <i>Migration of partially embedded five-member ring</i> 61 $C_sR_5-C_sR_5-C_sR_6^+ \rightarrow C_sR_6^+ - C_sR_5-C_sR_4H$ 4.960 × 10 ¹¹ 0.755 50.000 [51] <i>Six-member ring growth on a zig-zag neighbouring a five-member ring</i> 62 $C_sR_5^+ + C_2H_2 \rightarrow C_sR_5 - R_6$ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] <i>Six-member ring growth between two five-member ring</i> 63 $C_sR_5^+ + C_2H_2 \rightarrow C_sR_6 - R_5$ 8.900 × 10 ⁰⁵ 2.280 61.489 [55] <i>Six-member sing conversion to six-member ring neighbouring five-member ring</i> 64 $C_sR_5^+ + C_sR_5 + D_cSR_6 - R_5$ 8.900 × 10 ⁰⁵ 2.280 61.489 [55] <i>Six-member sing conversion to a partially embedded five-member ring</i> 65 $C_sR_6^+ + C_sR_6 - R_6^+$ 1.110 × 10 ¹¹ 0.658 23.990 t.w. <i>Six-member ring growth on a partially embedded five-member ring armchair</i> 66 $C_sR_6^+ + H_2 \rightarrow C_sR_6 + H_2$ 2.540 × 10 ¹¹ 0.931 16.440 [42] 67 $C_sR_6^+ + C_2H_2 \rightarrow C_sR_6^ C_2H_2$ 1.630 × 10 ¹² 0.397 8.815 [42] 67 $C_sR_6^+ + C_2H_2 \rightarrow C_sR_6^+ - C_2H_2$ 9.130 × 10 ¹¹ 0.991 15.990 [42] 68 $C_sR_6^ C_2H_2 \rightarrow C_sR_6^ C_2H_2$ 9.750 × 10 ¹⁰ 0.458 15.830 [42] 69 $C_sR_6^ C_2H_3 \rightarrow C_sR_6H^+$ 9.580 × 10 ¹¹ 0.064 16.310 [42] 69 $C_sR_6^ C_2H_3 \rightarrow C_sR_6H^ C_2H_3$ 9.650 × 10 ¹¹ 0.501 41.500 [42] 70 $C_sR_6^ C_sH_3 \rightarrow C_sR_6H^ C_sR_6H^+$ 9.580 × 10 ¹¹ 0.501 41.500 [42] 71 $C_sR_6^ C_sH_3 \rightarrow C_sR_6H^ C_sR_6H^+$ 9.580 × 10 ¹¹ 0.563 23.870 [42] 72 $C_sR_6^ C_sR_6 + H \rightarrow C_sR_6^+ - C_2H_3$ 9.650 × 10 ¹¹ 0.563 23.870 [42] 73 $C_sR_6^ C_sR_6 + H \rightarrow C_sR_6H^ C_sR_6 + H$ 8.150 × 10 ¹¹ 0.563 23.870 [42] 74 $C_sR_6^ C_sR_6 + H_2 - C_sR_6 + H$ 8.150 × 10 ¹¹ 0.563 23.870 [42] 75 $C_sR_6^ C_sR_6 + H \rightarrow C_sR_6^+ - C_sH_3$ 5.470 × 10 ¹¹ 0.563 24.860 [42] 76 $C_sR_6^ C_sR_6 + H \rightarrow C_sR_6^+ - C_sH_3$ 5.470 × 10 ¹¹ 0.563 24.860 [42] 74 $C_sR_6^- + C_2H_2 - C_sR_6 + H_2$ 5.897 × 10 ⁰⁷ 1.847 17.120 [37] 74 $C_sR_6^- + C_2H_2 - C_sR_6 - C_H_2$ 1.348 × 10 ⁰³ 2.573 4.935 [37] 74 $C_sR_6^- + C_2H_2 - C_sR_6 - $	60	Six-member ring desorption neighbo	ouring a five-carb	on bay site	(1.050	F (2)	
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	60	$C_{s-BY5} - C_s R_6^{\bullet} \rightarrow Cs R_6 - C_s R_6^{\bullet} + C_2 H_2$	2.300×10^{65}	1.603	61.850	[43]	
61 $C_s R_5 - C_s R_5 - C_s R_5 - C_s R_5 - C_s R_5 + 4.900 \times 10^{11}$ 0.755 50.000 [51] Six-member ring growth on a zig-zag neighbouring a five-member ring 62 $C_s R_5^{\bullet} + C_2 H_2 \rightarrow Cs R_5 - R_6$ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] Six-member ring growth between two five-member rings 63 $C_s R_5^{\bullet} + C_2 H_2 \rightarrow Cs R_5 - R_6$ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] Five-member ring conversion to six-member ring neighbouring five-member ring 64 $C_s R_5^{\bullet} + C_s R_5 + A \supset Cs R_6 - R_5$ 8.900 × 10 ⁰⁵ 2.280 61.489 [55] Six-member solutions a partially embedded five-member ring 65 $C_s R_6^{\bullet} + C_s R_6 - R_6^{\bullet}$ 1.110 × 10 ¹¹ 0.658 23.990 t.w. Six-member ring growth on a partially embedded five-member ring armchair 66 $C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6^{\bullet} + H_2$ 2.540 × 10 ¹¹ 0.931 16.440 [42] 67 $C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6^{\bullet} + C_2 H_2$ 9.130 × 10 ¹² 0.409 5.675 [42] 67 $C_s R_6^{\bullet} - C_2 H_2 \rightarrow C_s R_6^{\bullet} - C_2 H_3$ 6.320 × 10 ¹¹ 0.991 15.990 [42] 68 $C_s R_6^{\bullet} - C_2 H_2 \rightarrow C_s R_6^{\bullet} - C_2 H_3$ 6.320 × 10 ¹¹ 0.166 18.050 [42] 69 $C_s R_6^{\bullet} - C_2 H_3 \rightarrow C_s R_6^{\bullet} - C_2 H_3$ 9.750 × 10 ¹⁰ 0.458 15.830 [42] 69 $C_s R_6^{\bullet} - C_2 H_3 \rightarrow C_s R_6^{\bullet} - C_2 H_3$ 9.650 × 10 ¹¹ 0.501 41.500 [42] 70 $C_s R_6^{\bullet} - C_s R_6^{\bullet} + C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹² 0.787 36.510 [42] 70 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.507 4.695 [42] 71 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.503 23.870 [42] 72 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.563 23.870 [42] 71 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} + C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.563 24.860 [42] 72 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.563 24.860 [42] 72 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.563 24.860 [42] 72 $C_s R_6 - C_s R_6 + H \rightarrow C_s R_6^{\bullet} - C_s R_6^{\bullet} + 1$ 3.160 × 10 ¹¹ 0.563 24.860 [42] 73 $C_s R_6^{\bullet} - C_s R_6^{\bullet} + H_2^{\bullet} - C_s R_6^{\bullet} + H^{\bullet} + 1.215 $	<i>c</i> 1	Migration of partially embed	lded five-member	ring		5543	
Six-member ring growth on a zig-zag neighbouring a five-member ring 62 $C_sR_5^+ + C_2H_2 \rightarrow CsR_5 - R_6$ 1.235×10^{07} 1.530 9.311 [55] Six-member ring growth between two five-member rings 63 $C_sR_5^+ + C_2H_2 \rightarrow CsR_5 - R_6$ 1.235×10^{07} 1.530 9.311 [55] Five-member ring conversion to six-member ring neighbouring five-member ring 64 $C_sR_5^+ + C_sR_5H \rightarrow CsR_6 - R_5$ 8.900×10^{05} 2.280 61.489 [55] Six-member ring conversion to six-member ring neighbouring five-member ring 65 $c_sR_6^+ + C_sR_5H \rightarrow CsR_6 - R_5$ 8.900×10^{01} 0.658 23.990 t.w. Six-member ring growth on a partially embedded five-member ring armchair 66 $c_sR_6^+ + H_2 \rightarrow C_sR_6^+ + H_2$ 2.540×10^{11} 0.931 16.440 [42] .66 $C_sR_6^+ + H_2 \rightarrow C_sR_6^+ + H_2$ 2.540×10^{11} 0.937 8.815 [42] .67 $C_sR_6^+ - C_2H_2 \rightarrow C_sR_6^+ - C_2H_2$ 1.630×10^{12} 0.499 5.675 [42] .67 $C_sR_6^+ - C_2H_3 \rightarrow C_sR_6^+ - C_2H_3$ 6.320×10^{11} 0.616 8.815	61	$C_sR_5 - C_sR_5 - C_sR_6^\bullet \rightarrow CsR_6^\bullet - C_sR_5 - C_sR_5H$	4.960×10^{11}	0.755	50.000	[51]	
62 C _s R ₅ + C ₂ H ₂ → CsR ₅ -R ₆ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] Six-member ring growth between two five-member rings 63 C _s R ₅ + C ₂ H ₂ → CsR ₅ -R ₆ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] Five-member ring conversion to six-member ring neighbouring five-member ring 64 C _s R ₅ + C _s R ₅ H → CsR ₆ - R ₅ 8.900 × 10 ⁰⁵ 2.280 61.489 [55] Six-member bay closure containing a partially embedded five-member ring Member ring growth on a partially embedded five-member ring armchair 66 C _s R ₆ + H ₂ → C _s R ₆ + H ₂ 2.540 × 10 ¹¹ 0.931 16.440 [42] 67 C _s R ₆ + H ₂ → C _s R ₆ + C ₂ H ₂ 1.630 × 10 ¹² 0.397 8.815 [42] 66 C _s R ₆ + C ₂ H ₂ → C _s R ₆ - C ₂ H ₃ 6.320 × 10 ¹¹ 0.991 15.990 [42] 67 C _s R ₆ - C ₂ H ₃ → C _s R ₆ - C ₂ H ₃ 6.320 × 10 ¹¹ 0.991 15.990 [42] 68 C _s R ₆ - C ₂ H ₃ → C _s R ₆ - C ₂ H ₃ 6.320 × 10 ¹¹ 0.9045 8.830 [42] 69 C _s R ₆ - C ₂ H ₃ → C _s R ₆ + C ₂ H ₂ 9.750 × 10 ¹⁰ 0.45		Six-member ring growth on a zig-zag n	eighbouring a five	e-member rin	ıg		
Six-member ring growth between two five-member rings 63 $C_sR_5^{\bullet} + C_2H_2 \rightarrow CsR_5 - R_6$ 1.235 × 10 ⁰⁷ 1.530 9.311 [55] Five-member ring conversion to six-member ring neighbouring five-member ring 64 $C_sR_5^{\bullet} + C_sR_5 H \rightarrow CsR_6 - R_5$ 8.900 × 10 ⁹⁵ 2.280 61.489 [55] Six-member bay closure containing a partially embedded five-member ring 65 $C_sR_6^{\bullet} \rightarrow C_sR_6 - R_6^{\bullet}$ 1.110 × 10 ¹¹ 0.658 23.990 t.w. Six-member ring growth on a partially embedded five-member ring armchair 66 $C_sR_6^{\bullet} + H + D + C_sR_6^{\bullet} + H_2$ 2.540 × 10 ¹¹ 0.931 16.440 [42] 66 $C_sR_6^{\bullet} + H_2 \rightarrow C_sR_6^{\bullet} + H_2$ 2.540 × 10 ¹¹ 0.931 16.440 [42] 67 $C_sR_6^{\bullet} - C_2H_2 \rightarrow C_sR_6^{\bullet} - C_2H_2$ 1.630 × 10 ¹² 0.409 5.675 [42] 68 $C_sR_6^{\bullet} - C_2H_2 \rightarrow C_sR_6^{\bullet} + C_2H_2$ 9.130 × 10 ¹¹ 0.991 15.990 [42] 68 $C_sR_6^{\bullet} - C_2H_2 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 6.320 × 10 ¹¹ 0.166 18.050 [42] 69 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 9.580 × 10 ¹¹ -0.064 16.310 [42] 69 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 9.650 × 10 ¹¹ 0.501 41.500 [42] 70 $C_sR_6H_2 - CsR_6H^{\bullet} \rightarrow C_sR_6 - C_2H_3$ 9.650 × 10 ¹¹ 0.501 41.500 [42] 71 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6 - C_2H_3$ 9.650 × 10 ¹¹ 0.501 41.500 [42] 72 $C_sR_6H_2 - CsR_6H^{\bullet} \rightarrow C_sR_6 - C_2H_3$ 9.710 × 10 ¹¹ 0.503 23.870 [42] 71 $C_sR_6H - CsR_6 \rightarrow C_sR_6 - C_sR_6 + H$ 3.160 × 10 ¹² 0.787 36.510 [42] 72 $C_sR_6H - CsR_6 \rightarrow C_sR_6 - CsR_6 + H$ 8.150 × 10 ¹¹ 0.643 32.770 [42] 72 $C_sR_6H - CsR_6 \rightarrow C_sR_6 - CsR_6 + H$ 8.150 × 10 ¹¹ 0.645 32.770 [42] 73 $C_sR_6 - CsR_6 + H \rightarrow C_sR_6H - CsR_6$ 9.060 × 10 ¹¹ 0.456 7.286 [42] 72 $C_sR_6 - CsR_6 + H \rightarrow C_sR_6 + CsR_6$ 9.060 × 10 ¹¹ 0.456 7.286 [42] 73 $C_sR_6 - H + H \rightarrow C_sR_6 + CsR_6$ 9.060 × 10 ¹¹ 0.456 7.286 [42] 74 $C_sR_6^{\bullet} - C_sH_2 \rightarrow C_sR_6 - C_sH_2$ 1.348 × 10 ⁰³ 2.573 4.935 [37] 74 $C_sR_6^{\bullet} - C_sH_2 \rightarrow C_sR_6 - C_sH_2$ 1.348 × 10 ⁰³ 2.573 4.935 [37] 74 $C_sR_6^{\bullet} - C_sH_2 \rightarrow C_sR_6 - C_sH_2$ 1.348 × 10 ⁰³ 2.573 4.935 [37]	62	$C_sR_5 + C_2H_2 \rightarrow CsR_5 - R_6$	1.235×10^{67}	1.530	9.311	[55]	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		Six-member ring growth betwee	en two five-membe	r rings			
Five-member ring conversion to six-member ring neighbouring five-member ring 64 $C_sR_5^{\bullet} + C_sR_5H \rightarrow CsR_6 - R_5$ 8.900×10^{05} 2.280 61.489 [55] Six-member bay closure containing a partially embedded five-member ring 65 $C_sR_6^{\bullet} + C_sR_6 - R_6^{\bullet}$ 1.110×10^{11} 0.658 23.990 t.w. Six-member ring growth on a partially embedded five-member ring armchair 66 $C_sR_6^{\bullet} + H_2 \rightarrow C_sR_6^{\bullet} + H_2$ 2.540×10^{11} 0.931 16.440 [42] 66 $C_sR_6^{\bullet} + H_2 \rightarrow C_sR_6^{\bullet} + H_2$ 2.540×10^{11} 0.931 16.440 [42] 66 $C_sR_6^{\bullet} + H_2 \rightarrow C_sR_6^{\bullet} + H_2$ 2.540×10^{11} 0.931 16.440 [42] 66 $C_sR_6^{\bullet} + C_2H_2 \rightarrow C_sR_6^{\bullet} + C_2H_2$ 9.130×10^{12} 0.409 5.675 [42] 67 $C_sR_6^{\bullet} - C_2H_2 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 6.320×10^{11} 0.166 18.050 [42] 68 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 6.50×10^{11} 0.641 6.310 [42] 69 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 9.650×10^{11} 0.501	63	$C_sR_5^{\bullet} + C_2H_2 \rightarrow CsR_5 - R_6$	1.235×10^{07}	1.530	9.311	[55]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		Five-member ring conversion to six-member	ring neighbourin	g five-memb	er ring		
Six-member bay closure containing a partially embedded five-member ring65 $C_sR_6 \rightarrow C_sR_6 - R_6^{\bullet}$ 1.110×10^{11} 0.658 23.990 t.w.Six-member ring growth on a partially embedded five-member ring armchair66 $C_sR_6 - H + H \rightarrow C_sR_6^{\bullet} + H_2$ 2.540×10^{11} 0.931 16.440 [42]-66 $C_sR_6^{\bullet} + H_2 \rightarrow C_sR_6 + H$ 1.830×10^{12} 0.397 8.815 [42]67 $C_sR_6^{\bullet} + C_2H_2 \rightarrow C_sR_6 - C_2H_2$ 1.630×10^{12} 0.409 5.675 [42]-67 $C_sR_6 - C_2H_2 \rightarrow C_sR_6^{\bullet} - C_2H_3$ 6.320×10^{11} 0.991 15.990 [42]-68 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6 - C_2H_2$ 9.750×10^{10} 0.458 15.830 [42]-69 $C_sR_6^{\bullet} - C_2H_3 \rightarrow C_sR_6 + C_2H_3$ 9.650×10^{11} -0.064 16.310 [42]-69 $C_sR_6H_2 - CsR_6H^{\bullet} \rightarrow C_sR_6^{\bullet} - C_2H_3$ 9.650×10^{11} 0.501 41.500 [42]-70 $C_sR_6 - C_sR_6 + H \rightarrow C_sR_6 - C_sR_6 + H$ 3.160×10^{12} 0.787 36.510 [42]-71 $C_sR_6 - C_sR_6 + H \rightarrow C_sR_6 + C_sR_6$ 2.780×10^{11} 0.645 32.770 [42]-71 $C_sR_6 + C_sR_6 - C_sR_6 + H$ 8.150×10^{11} 0.455 7.286 [42]-72 $C_sR_6 - C_sR_6 + C_sR_6 - C_sR_6$ 9.006×10^{11} 0.455 32.770 [42]-72 $C_sR_6 - C_sR_6 + H \rightarrow C_sR_6 + H_2$ 5.897×10^{07} 1.847 17.120 $[37]$ -73 $C_sR_6 + H_2$	64	$C_sR_5^{\bullet} + C_sR_5H \rightarrow CsR_6 - R_5$	8.900×10^{05}	2.280	61.489	[55]	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		Six-member bay closure containing a par	tially embedded fi	ve-member i	ring		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	65	$C_s R_6^{\bullet} \rightarrow C_s R_6 - R_6^{\bullet}$	1.110×10^{11}	0.658	23.990	t.w.	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		Six-member ring growth on a partially em	bedded five-memb	er ring armo	chair		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	66	$C_sR_6-H+H \rightarrow C_sR_6^{\bullet}+H_2$	2.540×10^{11}	0.931	16.440	[42]	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	-66	$C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6 + H$	1.830×10^{12}	0.397	8.815	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	67	$C_sR_6^{\bullet} + C_2H_2 \rightarrow C_sR_6 - C_2H_2$	1.630×10^{12}	0.409	5.675	[42]	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	-67	$C_s R_6 - C_2 H_2 \rightarrow C_s R_6^{\bullet} + C_2 H_2$	9.130×10^{11}	0.991	15.990	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	68	$C_sR_6-C_2H_2 \rightarrow C_sR_6^{\bullet}-C_2H_3$	6.320×10^{11}	0.166	18.050	[42]	
$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	-68	$C_sR_6^{\bullet}-C_2H_3 \rightarrow C_sR_6-C_2H_2$	9.750×10^{10}	0.458	15.830	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	69	$C_sR_6^{\bullet}-C_2H_3 \rightarrow C_sR_6H_2-CsR_6H^{\bullet}$	$9.580 imes 10^{11}$	-0.064	16.310	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	-69	$C_sR_6H_2-CsR_6H^{\bullet} \rightarrow C_sR_6^{\bullet}-C_2H_3$	9.650×10^{11}	0.501	41.500	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	70	$C_sR_6H_2 - CsR_6H^{\bullet} \rightarrow C_sR_6 - CsR_6 + H$	3.160×10^{12}	0.787	36.510	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	-70	$C_sR_6-CsR_6+H \rightarrow C_sR_6H_2-CsR_6H^{\bullet}$	$9.710 imes10^{11}$	0.507	4.695	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	71	$C_sR_6^{\bullet}-C_2H_3 \rightarrow C_sR_6H-C_sR_6$	$2.780 imes 10^{11}$	0.063	23.870	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	-71	$C_sR_6H - C_sR_6 \rightarrow C_sR_6^{\bullet} - C_2H_3$	5.470×10^{11}	0.645	32.770	[42]	
-72 $C_sR_6 - CsR_6 + H \rightarrow C_sR_6 H - CsR_6$ 9.060×10^{11} 0.456 7.286 [42]Seven-member ring growth on a five-carbon bay site (partially embedded five-member ring)73 $C_sR_6 - H + H \rightarrow C_sR_6 + H_2$ 5.897×10^{07} 1.847 17.120 [37]-73 $C_sR_6 + H_2 \rightarrow C_sR_6 + H$ 1.215×10^{05} 2.229 7.720 [37]74 $C_sR_6 + C_2H_2 \rightarrow C_sR_6 - C_2H_2$ 1.348×10^{03} 2.573 4.935 [37]-74 $C_sR_6 - C_2H_2 \rightarrow C_sR_6 + C_2H_2$ 2.366×10^{12} 0.705 39.670 [37]	72	$C_s R_6 H - C_s R_6 \rightarrow C_s R_6 - C_s R_6 + H$	8.150×10^{11}	0.563	24.860	[42]	
Seven-member ring growth on a five-carbon bay site (partially embedded five-member ring)73 $C_sR_6-H+H \rightarrow C_sR_6^{\bullet}+H_2$ 5.897×10^{07} 1.847 17.120 [37]-73 $C_sR_6^{\bullet}+H_2 \rightarrow C_sR_6+H$ 1.215×10^{05} 2.229 7.720 [37]74 $C_sR_6^{\bullet}+C_2H_2 \rightarrow C_sR_6-C_2H_2$ 1.348×10^{03} 2.573 4.935 [37]-74 $C_sR_6-C_2H_2 \rightarrow C_sR_6^{\bullet}+C_2H_2$ 2.366×10^{12} 0.705 39.670 [37]	-72	$C_sR_6 - C_sR_6 + H \rightarrow C_sR_6H - C_sR_6$	$9.060 imes 10^{11}$	0.456	7.286	[42]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		Seven-member ring growth on a five-carbon bay site (partially embedded five-member ring)					
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	73	$C_sR_6 - H + H \rightarrow C_sR_6^{\bullet} + H_2$	5.897×10^{07}	1.847	17.120	[37]	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	-73	$C_{\alpha}R_{\alpha}^{\bullet} + H_{\alpha} \rightarrow C_{\alpha}R_{\alpha} + H$	1.215×10^{05}	2.229	7.720	[37]	
$-74 C_{s}R_{6}-C_{2}H_{2} \rightarrow C_{s}R_{6}^{\bullet}+C_{2}H_{2} \qquad 2.366 \times 10^{12} \qquad 0.705 39.670 [37]$	74	$C_{\alpha}R_{\zeta}^{\bullet} + C_{\alpha}H_{\alpha} \rightarrow C_{\alpha}R_{\zeta} - C_{\alpha}H_{\alpha}$	1.348×10^{03}	2.573	4.935	[37]	
	-74	$C_s R_6 - C_2 H_2 \rightarrow C_s R_6 + C_2 H_2$	2.366×10^{12}	0.705	39.670	[37]	

		$k = AT^n \exp(-E/RT)^a$			
No.	Reactions	A	n	E	References
75	$C_R - C_2 H_2 \rightarrow C_R + C_R + C_R $	1.958×10^{11}	0.111	25.330	[37]
-75	$C R_c H - C R_c^{\bullet} \rightarrow C R_c - C_2 H_2$	3.412×10^{11}	0.625	53.370	[37]
76	$C_s R_c H - C_s R_c^{\bullet} \rightarrow C_s R_c - C_s R_c + H$	1.770×10^{10}	1.094	27.150	[37]
-76	$C R_{2} - C S R_{2} + H \rightarrow C R_{2} H - C R_{2}^{\bullet}$	5.321×10^{07}	1 515	7 095	[37]
77	$C R_{2} - H + H \rightarrow C R_{2} + H_{2}$	5.321×10^{10} 5.315×10^{07}	1.858	16 120	[37]
-77	$C R_{s}^{\bullet} + H_{s} \rightarrow C R_{s} + H_{s}$	9.106×10^{04}	2 277	7 007	[37]
78	$C_{s}R_{6}^{\bullet} + C_{2}H_{2} \rightarrow C_{s}R_{6}^{\bullet} + H_{2}$	3.521×10^{03}	2.277	3 998	[37]
-78	$C_{s}R_{6} + C_{2}R_{2} + C_{s}R_{6} + C_{2}R_{2}$	4.736×10^{12}	0.702	40 800	[37]
-70	$C_{s}R_{6} = C_{2}R_{2} + C_{s}R_{6} + C_{2}R_{2}$	1.125×10^{11}	0.702	30 510	[37]
70	$C_{s}R_{6} = C_{2}R_{2} + C_{s}R_{6}R_{6} + C_{s}R_{6}$	1.123×10^{11} 2.383 × 10 ¹¹	0.120	57 000	[37]
-79	$C_{s}R_{6}\Pi - C_{s}R_{6} \rightarrow C_{s}R_{6} - C_{2}\Pi_{2}$	2.383×10^{10} 1 505 × 10 ¹⁰	1.076	28 840	[37]
80	$C_{s}K_{6}H - C_{s}K_{6} \rightarrow C_{s}K_{6} - C_{s}K_{6} + H$	1.303×10^{-4}	1.070	20.040	[37]
-80	$C_s K_6 - CSK_6 + \Pi \rightarrow C_s K_6 \Pi - C_s K_6$	3.641×10^{-1}	1.335	7.064	[37]
01	Seven-member ring growin on a jive-care	c = 1007	ve-member	ring)	[27]
81	$C_s R_6 - H + H \rightarrow C_s R_6 + H_2$	0.380×10^{37}	1.700	14.770	[37]
-81	$C_s R_6^+ + H_2 \rightarrow C_s R_6^- + H$	1.155×10^{63}	2.310	8.819	[37]
82	$C_s R_6^{\bullet} + C_2 H_2 \rightarrow C_s R_6 - C_2 H_2$	3.886×10^{53}	2.592	4.012	[37]
-82	$C_s R_6 - C_2 H_2 \rightarrow C_s R_6 + C_2 H_2$	$6.50/ \times 10^{12}$	0.710	45.050	[37]
83	$C_sR_6 - C_2H_2 \rightarrow C_sR_6H - C_sR_6$	5.755×10^{11}	0.070	2.983	[37]
-83	$C_sR_6H - C_sR_6 \rightarrow C_sR_6 - C_2H_2$	1.742×10^{12}	0.419	29.040	[37]
84	$C_sR_6H - C_sR_6^{\bullet} \rightarrow C_sR_6 - CsR_6 + H$	3.207×10^{10}	0.958	23.130	[37]
-84	$C_sR_6-CsR_6+H \rightarrow C_sR_6H-C_sR_6^{\bullet}$	1.293×10^{08}	1.505	7.425	[37]
85	$C_sR_5 - H + H \rightarrow C_sR_5 + H_2$	1.479×10^{07}	1.854	17.070	[37]
-85	$C_s R_5^{\bullet} + H_2 \rightarrow C_s R_5 + H$	5.914×10^{04}	2.234	11.870	[37]
86	$C_sR_5^{\bullet} + C_2H_2 \rightarrow C_sR_5 - C_2H_2$	1.098×10^{03}	2.581	7.651	[37]
-86	$C_sR_5-C_2H_2 \rightarrow C_sR_5^{\bullet}+C_2H_2$	$2.894 imes 10^{12}$	0.709	38.300	[37]
87	$C_sR_5-C_2H_2 \rightarrow C_sR_5H-C_sR_6^{\bullet}$	$5.097 imes 10^{11}$	0.139	19.740	[37]
-87	$C_sR_5H-C_sR_6^{\bullet} \rightarrow C_sR_5-C_2H_2$	$9.936 imes 10^{11}$	0.410	45.260	[37]
88	$C_sR_5H-C_sR_6^{\bullet} \rightarrow C_sR_5-C_sR_6 + H$	$3.590 imes 10^{11}$	0.604	30.050	[37]
-88	$C_sR_5 - C_sR_6 + H \rightarrow C_sR_5H - C_sR_6^{\bullet}$	$6.258 imes 10^{08}$	1.380	24.510	[37]
	Seven-member bay closure (H abstraction on si	te 1)		
89	$C_sR_6-H+H \rightarrow C_sR_6^{\bullet}+H_2$	$3.915 imes 10^{07}$	1.876	9.421	[37]
-89	$C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6^{\bullet} + H$	$5.369 imes 10^{04}$	2.275	5.583	[37]
90	$C_s R_6 + C_s R_6 - H \rightarrow C_s R_7 - C_s R_7 - H$	$8.513 imes10^{11}$	0.136	4.510	[37]
-90	$C_{c}R_{7}-C_{c}R_{7}-H \rightarrow C_{c}R_{6}+C_{c}R_{6}-H$	$3.523 imes10^{12}$	0.293	25.670	[37]
91	$C_{R_7} - C_{R_7} - H \rightarrow C_{R_7} - C_{R_7} + H$	$2.033 imes10^{10}$	1.067	31.600	[37]
-91	$C_{R_7} - C_{R_7} + H \rightarrow C_{R_7} - C_{R_7} - H$	$1.033 imes 10^{08}$	1.495	2.895	[37]
92	$C_{\alpha}R_{4}-H+H \rightarrow C_{\alpha}R_{4}^{\bullet}+H_{2}$	$3.091 imes 10^{07}$	1.891	9.308	[37]
-92	$C_{R}R_{\bullet}^{\bullet} + H_{2} \rightarrow C_{R}R_{\bullet} + H_{2}$	5.144×10^{04}	2.267	7.132	[37]
93	$C R_{c}^{\bullet} + C R_{c} - H \rightarrow C R_{7} - C R_{7} - H$	7.041×10^{11}	0.184	10.340	[37]
-93	$C R_7 - C R_7 - H \rightarrow C R_5^{\bullet} + C R_5 - H$	2.944×10^{12}	0.413	28.620	[37]
94	$C R_{-} - C R_{-} - H \rightarrow C R_{-} - C R_{-} + H$	1.861×10^{10}	1 136	29 570	[37]
-94	$C_{s}R/C_{s}R/H \rightarrow C_{s}R/H$	7.712×10^{07}	1.130	2067	[37]
71	$S_{s}(r) = S_{s}(r) + H + S_{s}(r) = S_{s}(r) + H$	Carbene route on si	1.511 (te 1)	2.007	[37]
05	C P = U + C P = U + C P = U	2.021×10^{10}	0 000	05 920	[27]
95	$C_s K_6 - H + C_s K_6 - H \rightarrow C_s K_6 + C_s K_6 - H_2$	8.031×10^{10}	0.890	95.850	[37]
-95	$C_{s}R_{6}^{(2)} + C_{s}R_{6} - H_{2} \rightarrow C_{s}R_{6} - H + C_{s}R_{6} - H$	4.398×10^{11}	0.359	3.385	[37]
96	$C_s R_6^{(2)} + C_s R_6 - H \rightarrow C_s R_7 - C_s R_7 - H$	$8.031 imes 10^{11}$	0.010	8.456	[37]
-96	$C_sR_7 - C_sR_7 - H \rightarrow C_sR_4^{(2)} + C_sR_4 - H$	$1.897 imes 10^{12}$	0.223	17.790	[37]
97	$C_{c}R_{7}-H+C_{c}R_{7} \rightarrow C_{c}R_{7}+C_{c}R_{7}-H$	5.759×10^{11}	0.393		[37]
-97	$C_{R_7} + C_{R_7} - H \rightarrow C_{R_7} - H + C_{R_7}$	1.052×10^{11}	0.905	53.500	[37]
98	$C_{R_7} - H + C_{R_6} - H \rightarrow C_{R_7} + C_{R_7} - H_2 + H_2$	8.873×10^{10}	0.639	31.310	[37]
-98	$C_{s}R_{7} + C_{s}R_{6} - H_{2} \rightarrow C_{s}R_{7} - H + C_{s}R_{6} - H_{2}$	1.728×10^{10}	0.712	60.650	[37]

		$k = AT^n \exp(-E/RT)^a$			
No.	Reactions	A	n	E	References
99	$C_{s}R_{6}-H_{2}+C_{s}R_{6}-H_{2} \rightarrow C_{s}R_{6}-H+C_{s}R_{6}-H+H_{2}$	3.907×10^{09}	1.273	97.050	[37]
-99	$C_{s}R_{6}-H+C_{s}R_{6}-H+H_{2} \rightarrow C_{s}R_{6}-H_{2}+C_{s}R_{6}-H_{2}$	2.448×10^{05}	1.999	86.400	[37]
100	$C_{s}R_{6}-H+C_{s}R_{6}-H \rightarrow C_{s}R_{6}^{(2)}+C_{s}R_{6}-H_{2}$	1.061×10^{11}	0.799	84.260	[37]
-100	$C_s R_6^{(2)} + C_s R_6 - H_2 \rightarrow C_s R_6 - H + C_s R_6 - H$	5.486×10^{11}	0.335	2.012	[37]
101	$C_s R_6^{(2\cdot)} + C_s R_6 - H \rightarrow C_s R_7 - C_s R_7 - H$	1.000×10^{12}	-0.014	3.568	[37]
-101	$C_sR_7 - C_sR_7 - H \rightarrow C_sR_6^{(2)} + C_sR_6 - H$	2.167×10^{12}	0.556	59.280	[37]
102	$C_sR_7 - H + C_sR_6 - H \rightarrow C_sR_7 + C_sR_6 - H_2$	$3.063 imes 10^{11}$	0.824	63.560	[37]
-102	$C_{c}R_{7} + C_{c}R_{6} - H_{2} \rightarrow C_{c}R_{7} - H + C_{c}R_{6} - H$	$1.514 imes10^{10}$	0.674	50.310	[37]
103	$C_sR_6-H_2+C_sR_6-H_2 \rightarrow C_sR_6-H+C_sR_6-H+H_2$	4.479×10^{09}	0.714	27.100	[37]
-103	$C_sR_6 - H + C_sR_6 - H + H_2 \rightarrow C_sR_6 - H_2 + C_sR_6 - H_2$	2.332×10^{05}	1.742	55.100	[37]
	Seven-member bay closure (H	abstraction on s	site 2)		
104	$C_sR_6-H+H \rightarrow C_sR_6^{\bullet}+H_2$	$2.767 imes 10^{07}$	1.913	9.542	[37]
-104	$C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6^{\bullet} + H$	$4.212 imes 10^{04}$	2.264	6.878	[37]
105	$C_sR_6^{\bullet} + C_sR_6 - H \rightarrow C_sR_7 - C_sR_7 - H$	$4.703 imes10^{11}$	0.143	4.722	[37]
-105	$C_sR_7 - C_sR_7 - H \rightarrow C_sR_6 + C_sR_6 - H$	1.476×10^{12}	0.367	27.37	[37]
106	$C_sR_7 - C_sR_7 - H \rightarrow C_sR_7 - C_sR_7 + H$	$6.424 imes 10^{09}$	1.093	32.16	[37]
-106	$C_sR_7 - C_sR_7 + H \rightarrow C_sR_7 - C_sR_7 - H$	1.693×10^{08}	1.522	1.637	[37]
107	$C_sR_6 - H + H \rightarrow C_sR_6 + H_2$	$2.843 imes 10^{07}$	1.906	9.533	[37]
-107	$C_s R_6^{\bullet} + H_2 \rightarrow C_s R_6^{\bullet} + H$	$5.338 imes10^{04}$	2.261	7.525	[37]
108	$C_s R_6^{\bullet} + C_s R_6 - H \rightarrow C_s R_7 - C_s R_7 - H$	6.599×10^{11}	0.082	2.625	[37]
-108	$C_sR_7 - C_sR_7 - H \rightarrow C_sR_6 + C_sR_6 - H$	5.132×10^{12}	0.340	25.40	[37]
109	$C_{R_7} - C_{R_7} - H \rightarrow C_{R_7} - C_{R_7} + H$	$2.006 imes 10^{10}$	1.099	32.81	[37]
-109	$C_sR_7 - C_sR_7 + H \rightarrow C_sR_7 - C_sR_7 - H$	$1.729 imes 10^{08}$	1.489	1.504	[37]
	Seven-member bay closure (Co	arbene route on	site 2)		
110	$C_{s}R_{6}-H+C_{s}R_{6}-H \rightarrow C_{s}R_{6}^{(2)}+C_{s}R_{6}-H_{2}$	1.603×10^{11}	0.777	83.23	[37]
-110	$C_{s}R_{6}^{(2\cdot)} + C_{s}R_{6} - H_{2} \rightarrow C_{s}R_{6} - H + C_{s}R_{6} - H$	3.050×10^{11}	0.294		[37]
111	$C_{s}R_{6}^{(2)} + C_{s}R_{6} - H \rightarrow C_{s}R_{7} - C_{s}R_{7} - H$	2.488×10^{11}	0.120	11.62	[37]
-111	$C_sR_7 - C_sR_7 - H \rightarrow C_sR_6^{(2)} + C_sR_6 - H$	1.472×10^{12}	0.676	45.09	[37]
112	$C_sR_7 - H + C_sR_7 \rightarrow C_sR_7 + C_sR_7 - H$	$1.397 imes 10^{11}$	0.581	27.01	[37]
-112	$C_sR_7 + C_sR_7 - H \rightarrow C_sR_7 - H + C_sR_7$	$3.264 imes 10^{10}$	0.734	56.81	[37]
113	$C_{s}R_{7}-H+C_{s}R_{6}-H \rightarrow C_{s}R_{7}+C_{s}R_{6}-H_{2}+H_{2}$	5.515×10^{10}	0.849	59.32	[37]
-113	$C_sR_7 + C_sR_6 - H_2 \rightarrow C_sR_7 - H + C_sR_6 - H$	7.566×10^{10}	0.675	38.56	[37]
114	$C_sR_6 - H_2 + C_sR_6 - H_2 \rightarrow C_sR_6 - H + C_sR_6 - H + H_2$	6.206×10^{09}	0.848	28.61	[37]
-114	$C_{s}R_{6}-H+C_{s}R_{6}-H+H_{2} \rightarrow C_{s}R_{6}-H_{2}+C_{s}R_{6}-H_{2}$	2.164×10^{05}	1.798	58.70	[37]
115	$C_{s}R_{6}-H+C_{s}R_{6}-H \rightarrow C_{s}R_{6}^{(2)}+C_{s}R_{6}-H_{2}$	1.162×10^{11}	0.837	86.01	[37]
-115	$C_{s}R_{6}^{(2)} + C_{s}R_{6} - H_{2} \rightarrow C_{s}R_{6} - H + C_{s}R_{6} - H$	4.948×10^{11}	0.331	1.476	[37]
116	$C_{s}R_{6}^{(2)} + C_{s}R_{6} - H \rightarrow C_{s}R_{7} - C_{s}R_{7} - H$	$5.744 imes 10^{11}$	0.039	8.721	[37]
-116	$C_{s}R_{7}-C_{s}R_{7}-H \rightarrow C_{s}R_{6}^{(2)}+C_{s}R_{6}-H$	2.164×10^{12}	0.292	18.61	[37]
117	$C_{s}R_{7}-H+C_{s}R_{6}-H \rightarrow C_{s}R_{7}+C_{s}R_{6}-H_{2}$	9.900×10^{11}	0.331	-2.850	[37]
-117	$C_{s}R_{7} + C_{s}R_{6} - H_{2} \rightarrow C_{s}R_{7} - H + C_{s}R_{6} - H$	1.025×10^{11}	0.875	57.11	[37]
118	$C_{s}R_{7}-H+C_{s}R_{6}-H \rightarrow C_{s}R_{7}+C_{s}R_{6}-H_{2}+H_{2}$	6.156×10^{10}	0.782	39.25	[37]
-118	$C_{s}R_{7} + C_{s}R_{6} - H_{2} \rightarrow C_{s}R_{7} - H + C_{s}R_{6} - H$	9.567×10^{10}	0.696	35.20	[37]
119	$C_{s}R_{6}-H_{2}+C_{s}R_{6}-H_{2} \rightarrow C_{s}R_{6}-H+C_{s}R_{6}-H+H_{2}$	3.478×10^{09}	1.288	87.43	[37]
-119	$C_{s}R_{6}-H+C_{s}R_{6}-H+H_{2} \rightarrow C_{s}R_{6}-H_{2}+C_{s}R_{6}-H_{2}$	1.696×10^{05}	2.086	95.63	[37]

^{*a*}The units are mole, centimetre, second, and kilocalorie. ^{*b*}Low-pressure limit in TROE form. Parameters A = 0.70546, $T_3 = 9.999E + 09$, $T_1 = 459.918$, $T_2 = -8.214E + 09$ ^cThe reverse rate coefficients were calculated via equilibrium constants.



Table S2: Kinetic Monte Carlo jump processes







Notes:

^{*a*}Steady-state intermediates vector V_{ss} and Partial-equilibrium intermediates vector V_{peq} defined as: $V_{ss} = \{C_sR_6^{\bullet}, C_sR_6 - C_2H_2, C_sR_6 - C_2H, C_sR_6 - C_2H_3, C_sR_6 - C_2H_3^{\bullet}, C_sR_6(C_2H)(C_2H_3), C_sR_6 - R_6^{\bullet}, C_sR_6 - C_2H_3, C_sR_6 C_{s}R_{6}-R_{6}$ $V_{\text{peq}} = \{ \mathring{C}_{s} \mathring{R}_{6}^{\bullet}, \mathring{C}_{s} R_{6}^{-} C_{2} H_{2}, C_{s} R_{6}^{-} C_{2} H, C_{s} R_{6}^{-} C_{2} H_{3}, C_{s} R_{6}^{-} C_{2} H_{3}^{\bullet}, C_{s} R_{6}^{-} (C_{2} H) (C_{2} H_{3}) \}$ Rate calculated as per Leon et al. [28]: $\dot{r}_{S1} = \dot{r}_{S1,ss}$ if $\dot{r}_{S1,peq} > \dot{r}_{S3}$, $\dot{r}_{S1} = \dot{r}_{S1,peq}$ o.w. ^bSteady-state intermediates vector V_{ss} defined as: $V_{ss} = \{C_s R_6^{\bullet}, C_s R_6 - C_2 H_2, C_s R_6^{\bullet} - C_2 H_3, C_s R_6 - H_2, C_s R_6 H - C_s R_6\}$ ^cSteady-state intermediates vector V_{ss} defined as: $V_{ss} = \{C_{s}R_{6}^{\bullet}, C_{s}R_{6} - C_{2}H_{2}, C_{s}R_{6}H - C_{s}R_{6}^{\bullet}, C_{s}R_{5}^{\bullet}, C_{s}R_{5} - C_{2}H_{2}, C_{s}R_{5}H - C_{s}R_{6}^{\bullet}\}$ ^dSteady-state intermediates vector V_{ss} defined as: $V_{ss} = \{C_{s}R_{6}^{\bullet}, C_{s}R_{6}-C_{2}H_{2}, C_{s}R_{6}H-C_{s}R_{6}^{\bullet}, C_{s}R_{6}^{\bullet}, C_{s}R_{6}-C_{2}H_{2i}, C_{s}R_{6}H-C_{s}R_{6}^{\bullet}, i\}$ ^{*e*}Steady-state intermediates vector V_{ss} defined as: $V_{ss} = \{C_{s}R_{6}^{\bullet}, C_{s}R_{7} - R_{7} - H, C_{s}R_{6}^{\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}, C_{s}R_{7}H - C_{s}R_{7}, C_{s}R_{7}H - C_{s}R_{6}H, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}, C_{s}R_{7}H - C_{s}R_{7}H - C_{s}R_{6}H, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}, C_{s}R_{7}H - C_{s}R_{7}H - C_{s}R_{6}H, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - C_{s}R_{7}H - C_{s}R_{7}H - C_{s}R_{6}H, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - R_{7} - H_{i}, C_{s}R_{6}^{2\bullet}_{i}, C_{s}R_{7} - C_{s}$ $C_sR_7H-C_sR_{7i}, C_sR_7H-C_sR_6H_i$ ^fSteady-state intermediates vector V_{ss} defined as: $V_{ss} = \{C_s R_6^{\bullet}, C_s R_7 - R_7 - H, C_s R_6^{\bullet}, C_s R_7 - R_7 - H_i, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7, C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{2\bullet}, C_s R_7 H - C_s R_7 H - C_s R_6 H, C_s R_6^{\bullet}, C_s R_6 H, C_s R_6 H, C_s R_6^{\bullet}, C_s R_6 H, C_s R_6 H$ $C_{s}R_{7}H-C_{s}R_{7i}, C_{s}R_{7}H-C_{s}R_{6}H_{i}$

S2.2 Assumptions on process rates

S2.2.1 Hydrogen abstraction

- By H atom. Rate constants were taken from Semenikhin et al. [48] for the abstraction of hydrogen from benzene.
- By OH radical. Taken from Kislov et al. [24].
- By H addition. Taken from Harding et al. [15].
- Abstractions from five-member rings. Taken from Hou and You [18]. Abstractions by OH radical assumed similar to those from six-member rings.

S2.2.2 Armchair growth

Rate constants taken from Frenklach et al. [9] for the formation of pyrene from phenanthrene. It was assumed that the process competes with the formation of the ethynylphenanthrene to other products.

S2.2.3 Free-edge desorption to produce an armchair

Rate constants taken from Frenklach et al. [9] for the formation of pyrene from phenanthrene. Reverse rate constants equations were fitted using the thermal data developed by [38].

S2.2.4 Free-edge growth

Rate constants taken from the network of reactions described by Mebel et al. [36] for different pressures. The case for 1 atm is used in this work. For additional reactions not included in that work, like the reactions with C_2H_3 and C_4H_4 , the reactions were taken from Narayanaswamy et al. [38] for the intermediate species between benzene and naph-thalene. The equations were solved using a combined partial-equilibrium and steady-state methodology as defined by Leon et al. [28]. For the ring-growth process rate the reactions are evaluated in the forward direction. If the partial-equilibrium rate is larger than the consumption rate (evaluating the reactions in the reverse direction) then the steady-state rate is selected. See again Leon et al. [28].

S2.2.5 Six-member ring desorption

The desorption uses the same rate constants as the free-edge growth jump process [36, 38]. However, it uses the reverse reactions from naphthalene losing a ring to produce benzene. The PAH radicals that proceed to a ring opening were assumed to be in a partial-equilibrium with the PAH and the hydrogen abstraction reactions.

S2.2.6 Six-member bay closure

The rate constants for this process were calculated at the B3LYP/6-311+G(d,p) level of theory (see main text). These rate constants were similar to those of Raj et al. [43].

S2.2.7 Five-member bay closure

The rate constants for this process were taken from Violi [51].

S2.2.8 Phenyl addition

The rate constants for this process were taken from Richter et al. [45]. Two pathways were considered, the direct addition of the phenyl group and the reaction between the PAH radical and a benzene molecule. The concentrations of both phenyl radical and PAH radical were assumed to be in steady-state with hydrogen abstractions and phenyl additions.

S2.2.9 Five-member ring growth on a zig-zag

Rate constants taken from Frenklach et al. [9] for the formation of acenaphthylene. It was assumed that the process competes with the formation of ethynylnaphthalene to other products.

S2.2.10 Five-member ring desorption

Two routes were assumed for the desorption of a five-member ring: First, an hydrogen abstraction followed by bond dissociation similar to Frenklach et al. [7]. For the second route it was assumed that an hydrogen addition step would be followed by a competition of five-member ring migration and desorption as proposed by Whitesides and Frenklach [55].

S2.2.11 Five-member ring migration to a zig-zag site

Rate constants taken from Whitesides and Frenklach [55]. A steady-state approximation was assumed for the five-member ring addition intermediate.

S2.2.12 Five-member ring migration to neighbouring armchair site

Rate constants taken from Whitesides and Frenklach [55]. A steady-state approximation was assumed for the five-member ring addition intermediate.

S2.2.13 Partially embedded five-member ring flip reaction

Rate constants taken from Whitesides and Frenklach [55] and Whitesides et al. [57].

S2.2.14 Conversion of six-member ring to five-member ring neighbouring a zig-zag site

Rate constants taken from Celnik et al. [4]. A steady-state approximation was assumed for the short-lived intermediate.

S2.2.15 Conversion of five-member ring to six-member ring neighbouring a freeedge

Rate constants taken from Celnik et al. [4]. A steady-state approximation was assumed for the short-lived intermediate.

S2.2.16 Conversion of six-member ring neighbouring an armchair site

Rate constants taken from Frenklach et al. [7]. A steady-state approximation was assumed for the short-lived intermediate.

S2.2.17 Conversion of six-member ring to five-member ring next a five-carbon-bay site

Rate constants taken from Raj et al. [43] and Violi [51].

S2.2.18 Migration of partially embedded five-member ring

The migration rate was taken from Violi [51]. The migration equilibrium constant was taken from Whitesides and Frenklach [55] allowing migrations between internal zigzag edges to be equally probable. Migrations of a partially-embedded five membered ring to an edge were assumed to have probability of one third. Migrations of an edge five membered ring to the zigzag edge were assumed to have two thirds probability.

S2.2.19 Six-member ring growth on a zig-zag site neighbouring a five-member ring

Rate constants taken from Whitesides and Frenklach [55]. A steady-state approximation was assumed for the six-member ring addition intermediate.

S2.2.20 Six-member ring growth between two five-member rings

Rate constants taken from Whitesides and Frenklach [55]. A steady-state approximation was assumed for the six-member ring addition intermediate.

S2.2.21 Six-member bay closure containing a partially embedded five-member ring

The rate constants for this process were calculated at the B3LYP/6-311+G(d,p) level of theory (see main text).

S2.2.22 Six-member ring growth on armchair containing a partially embedded five-member ring

The rate constants for this process were taken from Raj [42] (see main text).

S2.2.23 Seven-member ring growth on a five-carbon-bay site containing a partially embedded five-member ring

The rates constants were taken from Menon et al. [37] (see main text).

S2.2.24 Seven-member bay closure

The rates constants were taken from Menon et al. [37] (see main text).

S3 Animations showing the growth of example PAHs

Animated files showing the growth of example PAHs are provided via the University of Cambridge data repository (Link to be provided).

References

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